



# ACOUSTICS part – 5 Sound Engineering Course

[Angelo Farina](#)



Dip. di Ingegneria Industriale - Università di Parma  
Parco Area delle Scienze 181/A, 43100 Parma – Italy

[angelo.farina@unipr.it](mailto:angelo.farina@unipr.it)

[www.angelfarina.it](http://www.angelfarina.it)



# Impulse Response measurements

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## The Past

- Traditional time-domain measurements with pulsive sounds and omnidirectional transducers
- Electroacoustical measurements employing special computer-based hardware, a loudspeaker and an omnidirectional microphone

## The Present

- Electroacoustical measurements employing standard sound cards, 2 or more loudspeakers and multiple microphones (2 to 8)

## The Future

- Microphone arrays for capturing high-order spatial information
- Artificial sound sources employing a dense array of loudspeakers, capable of synthesizing the directivity pattern of any real-world source



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# The Past



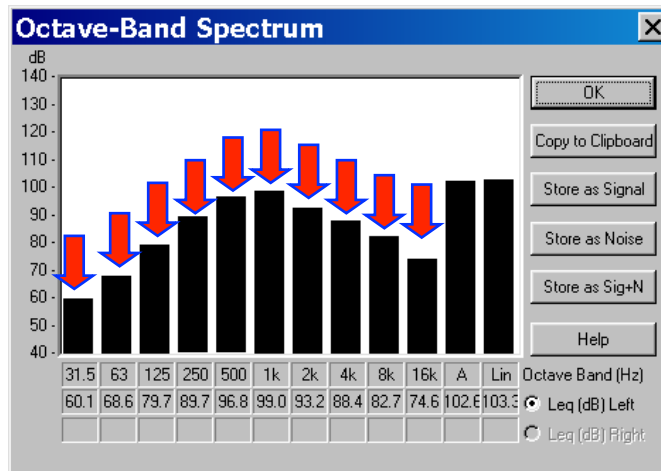
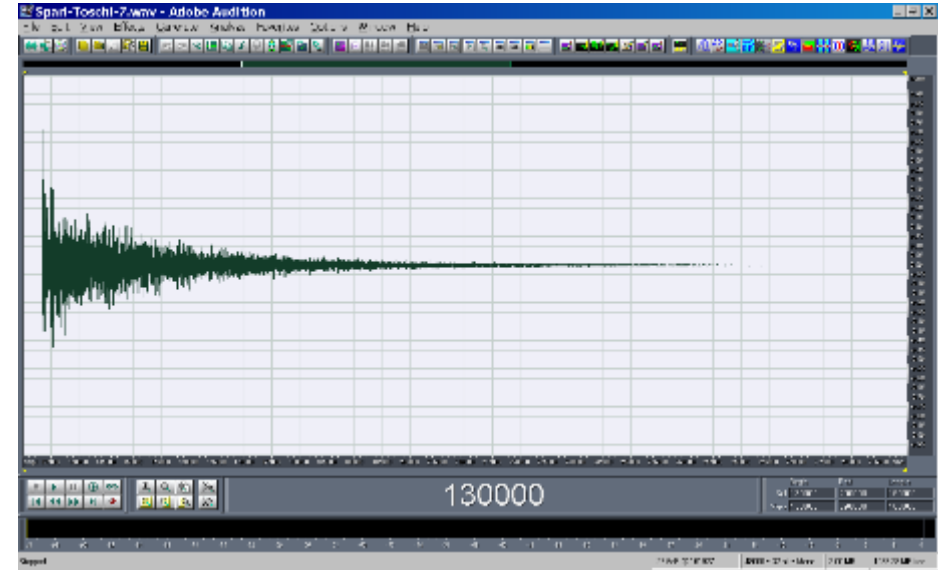
# Traditional measurement methods



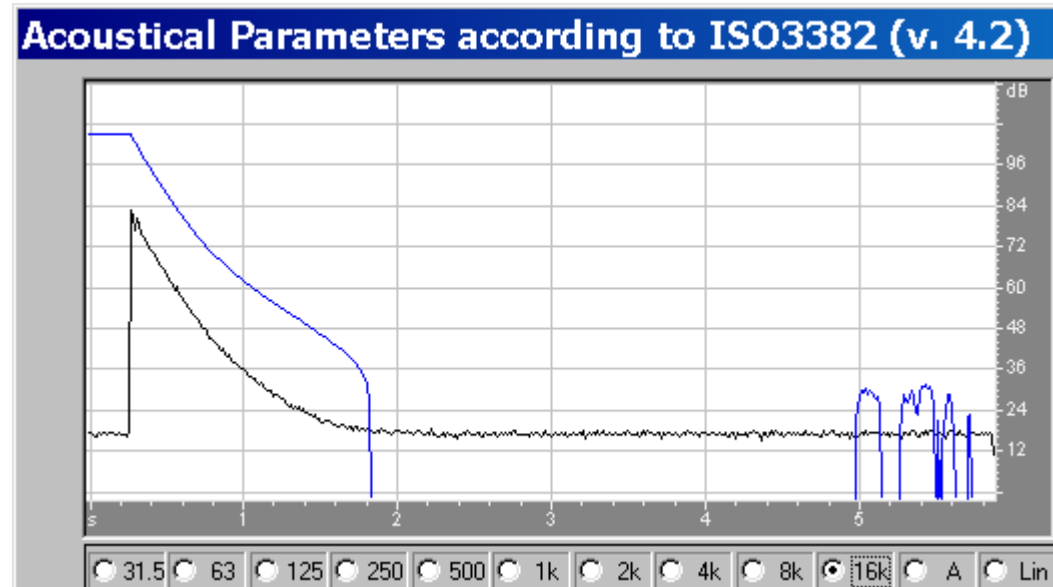
- Pulsive sources: balloons, blank pistol



# Example of a pulsive impulse response



Note the bell-shaped spectrum



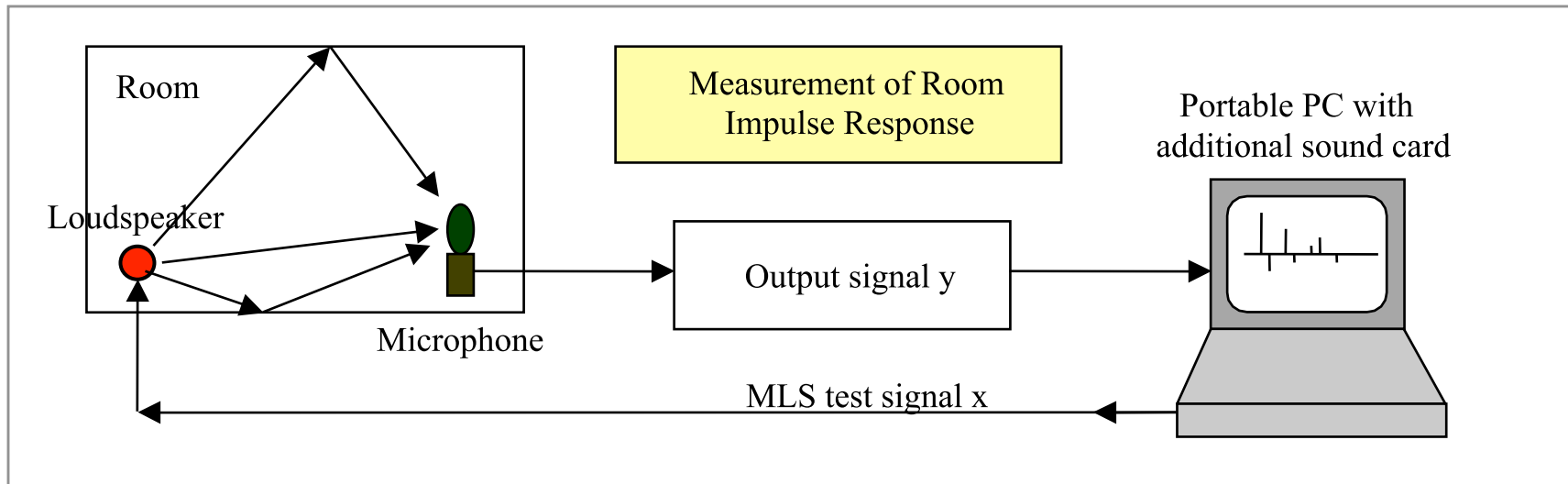


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# **Electroacoustical measurements**



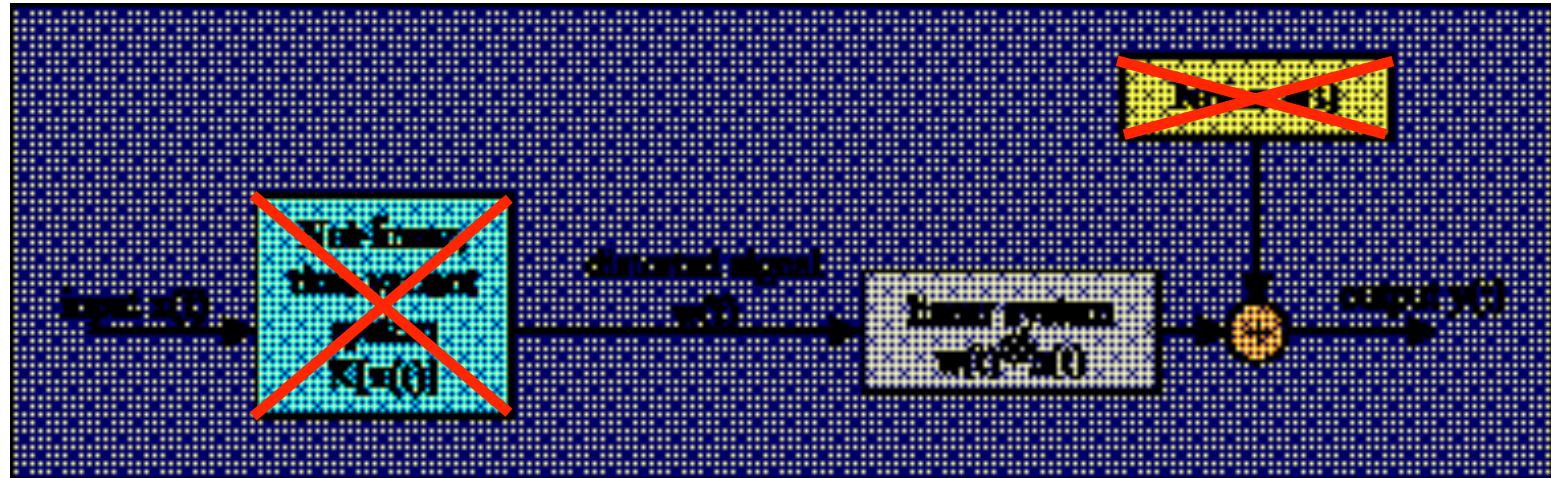
# Loudspeaker as sound source



- A loudspeaker is fed with a special test signal  $x(t)$ , while a microphone records the room response
- A proper deconvolution technique is required for retrieving the impulse response  $h(t)$  from the recorded signal  $y(t)$



# Measurement process



- The desired result is the linear impulse response of the acoustic propagation  $h(t)$ . It can be recovered by knowing the test signal  $x(t)$  and the measured system output  $y(t)$ .
- It is necessary to exclude the effect of the non-linear part  $K$  and of the background noise  $n(t)$ .



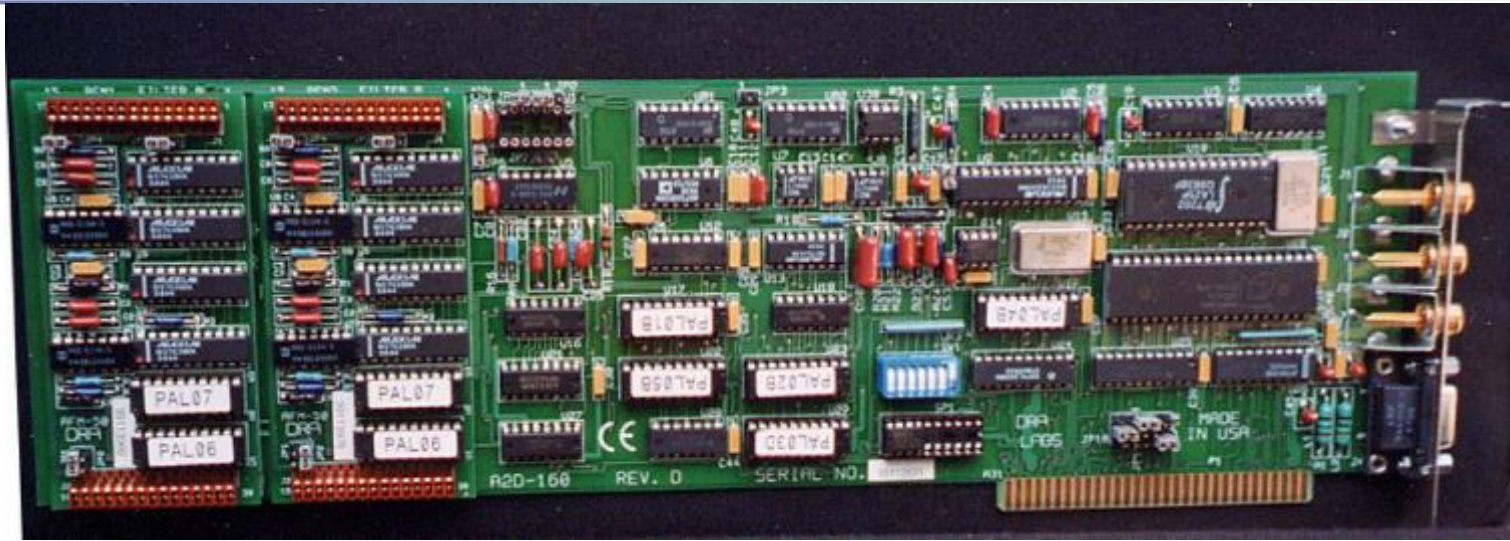
# Electroacoustical methods

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- Different types of test signals have been developed, providing good immunity to background noise and easy deconvolution of the impulse response:
  - MLS (Maximum Length Sequence, pseudo-random white noise)
  - TDS (Time Delay Spectrometry, which basically is simply a linear sine sweep, also known in Japan as “stretched pulse” and in Europe as “chirp”)
  - **ESS (Exponential Sine Sweep)**
- Each of these test signals can be employed with different deconvolution techniques, resulting in a number of “different” measurement methods
- Due to theoretical and practical considerations, the preference is nowadays generally oriented for the usage of **ESS** with not-circular deconvolution



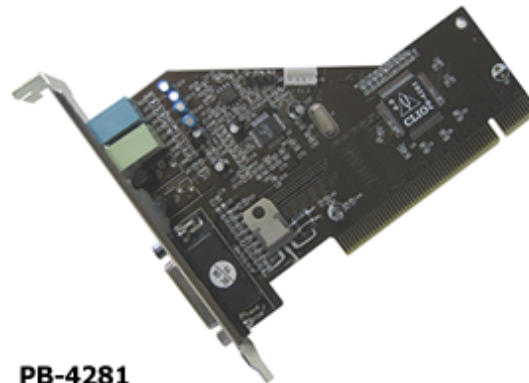
# The first MLS apparatus - MLSSA



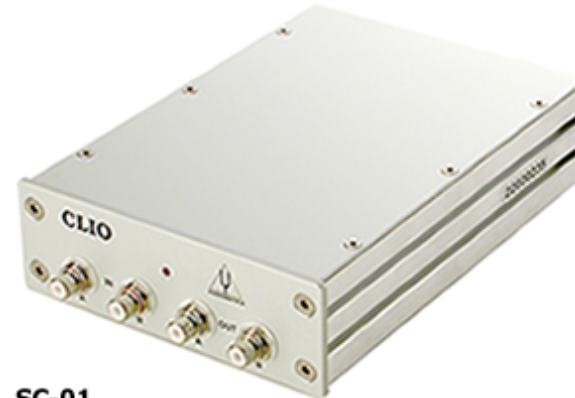
- MLSSA was the first apparatus for measuring impulse responses with MLS



## More recently - the CLIO system



**PB-4281**



**SC-01**

- The Italian-made CLIO system has superseded MLSSA for most electroacoustics applications (measurement of loudspeakers, quality control)



# The first TDS apparatus - TEF



- Technron TEF 10 was the first apparatus for measuring impulse responses with TDS
- Subsequent versions (TEF 20, TEF 25) also support MLS

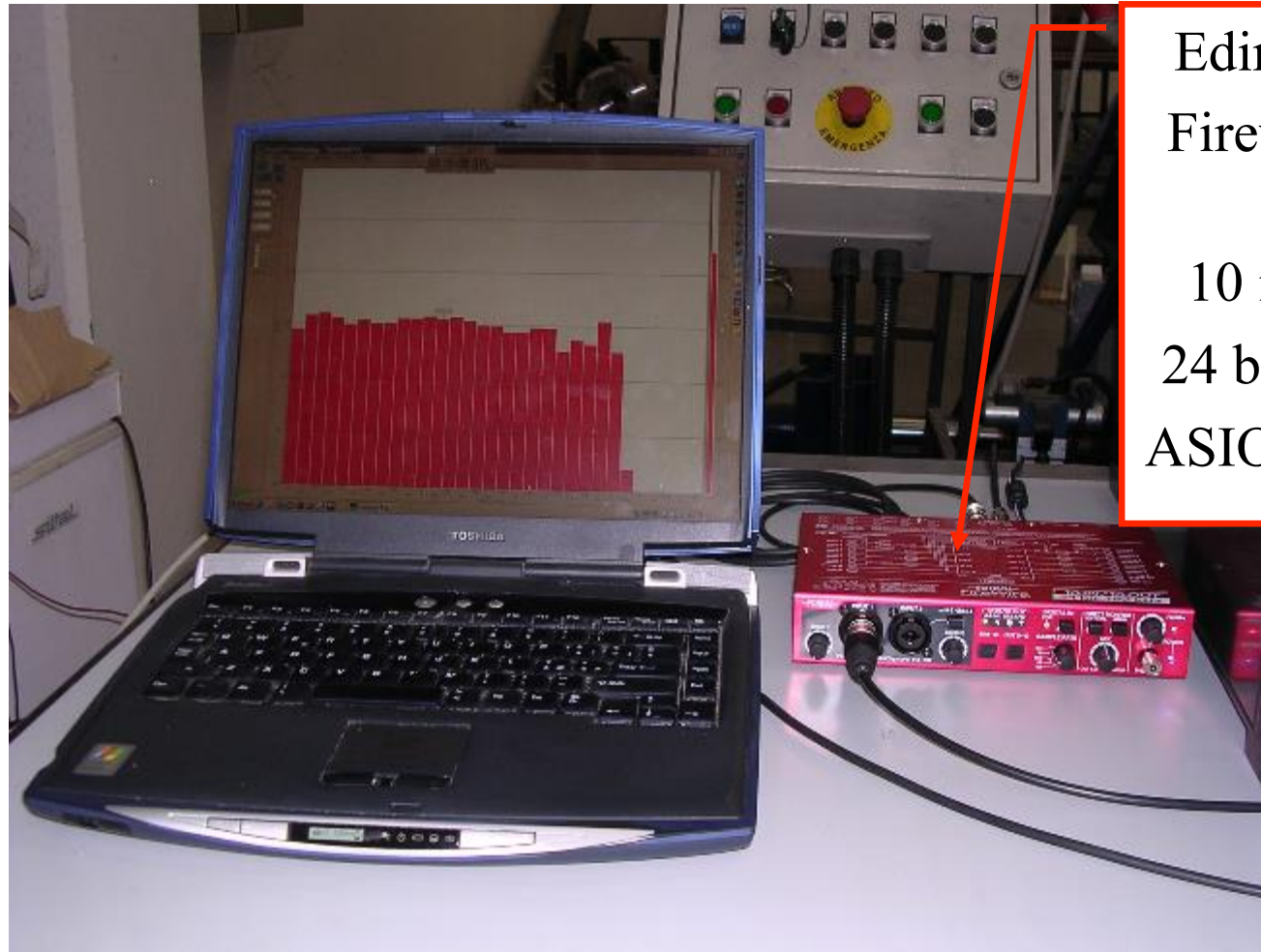


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# The Present



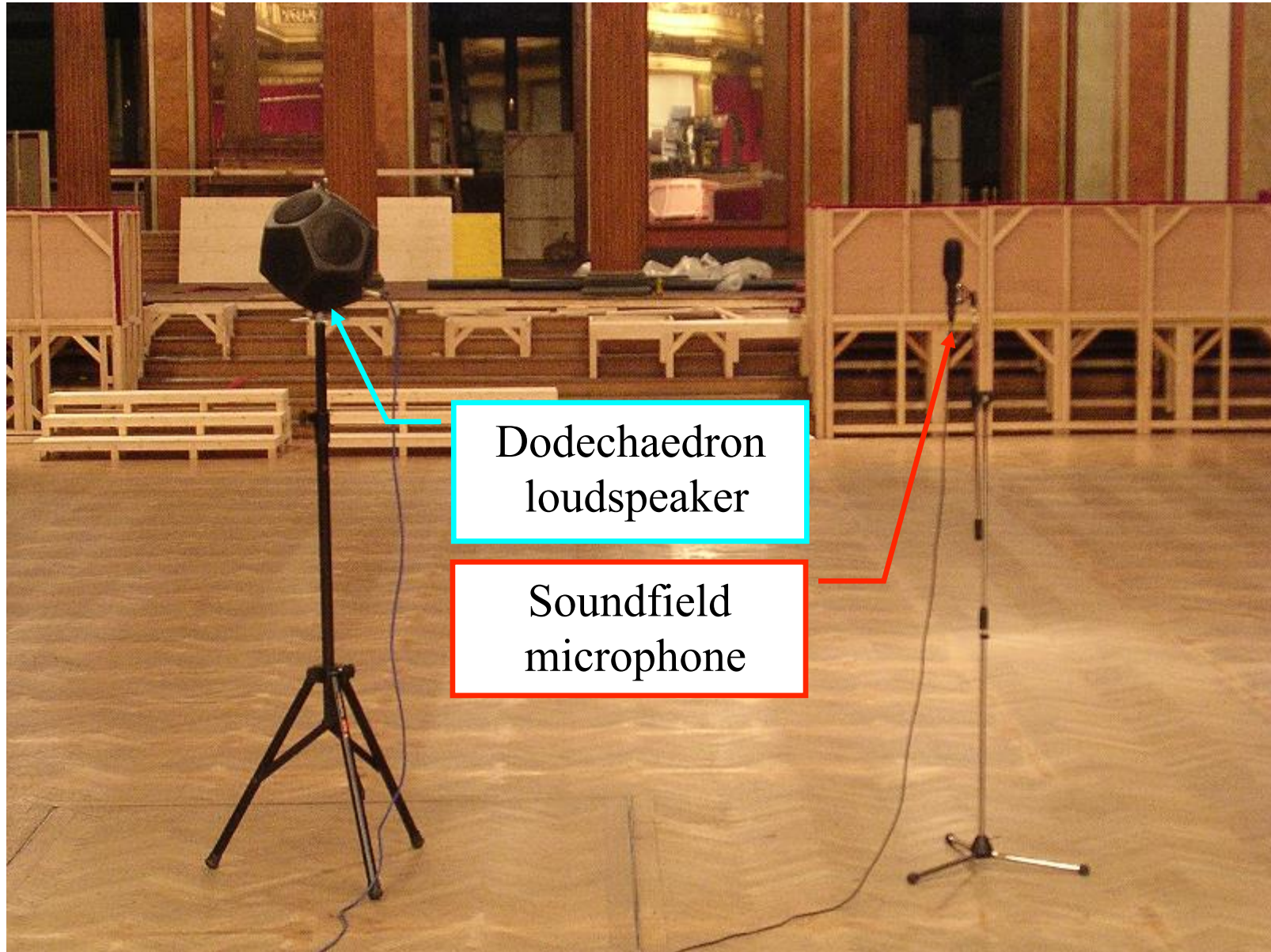
## Today's Hardware: PC and audio interface



Edirol FA-101  
Firewire sound  
card:  
10 in / 10 out  
24 bit, 192 kHz  
ASIO and WDM



## Hardware: loudspeaker & microphone



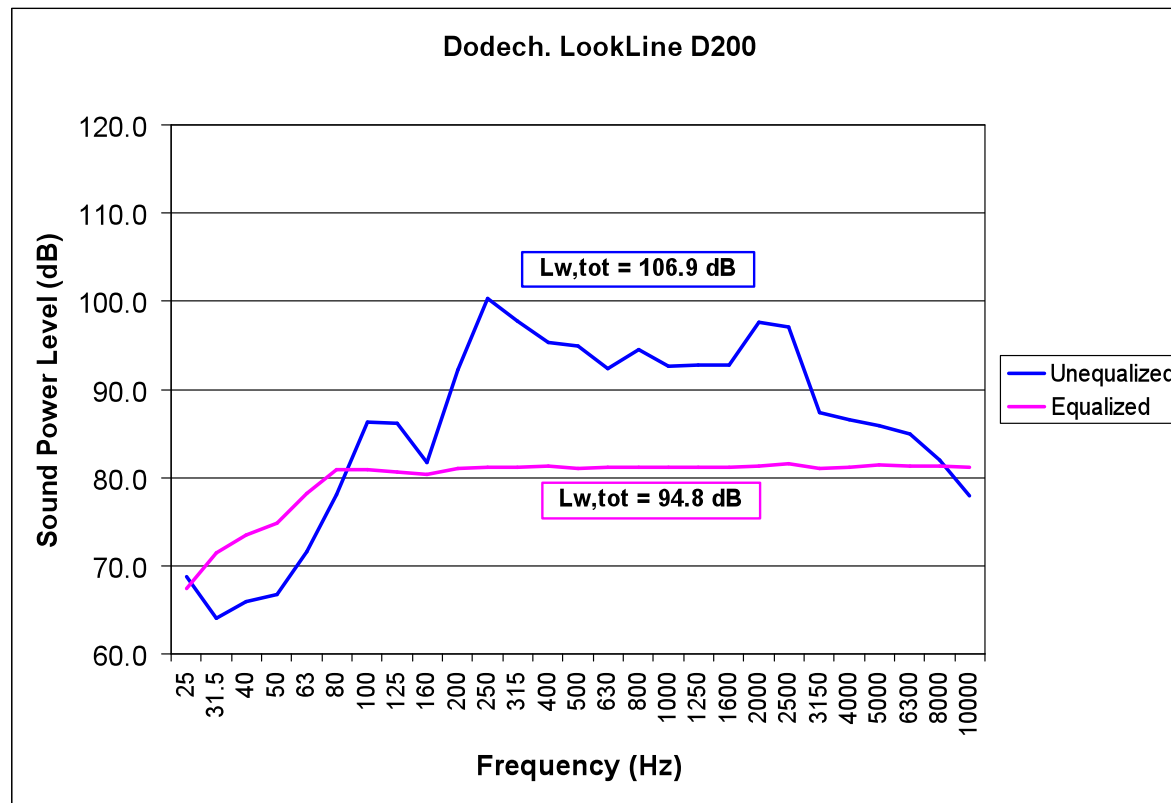
Dodechaedron  
loudspeaker

Soundfield  
microphone



# Loudspeakers

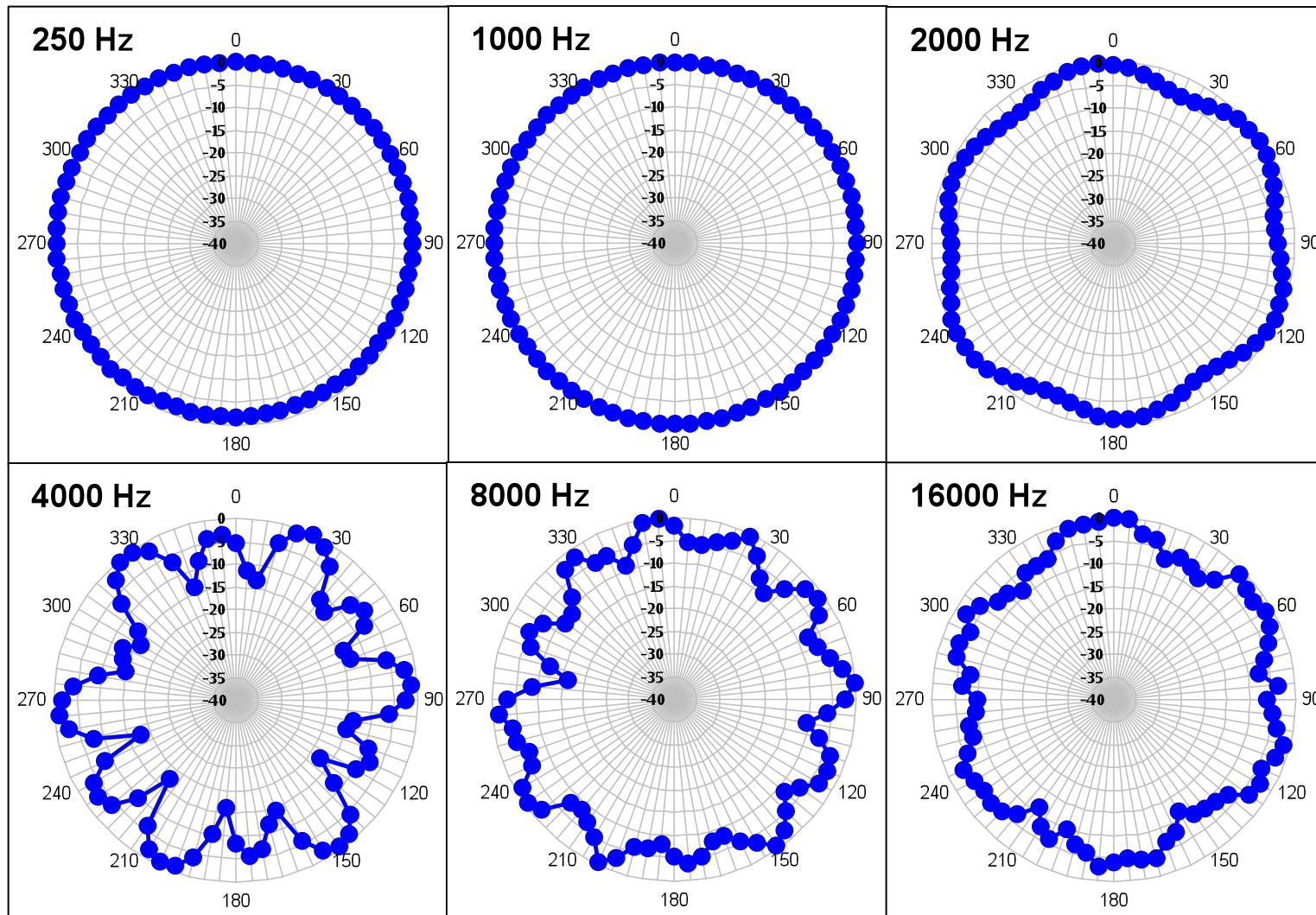
- Equalized, omnidirectional sound source:
  - Dodechaedron for mid-high frequencies
  - One-way Subwoofer (<120 Hz)





# Directivity of loudspeakers

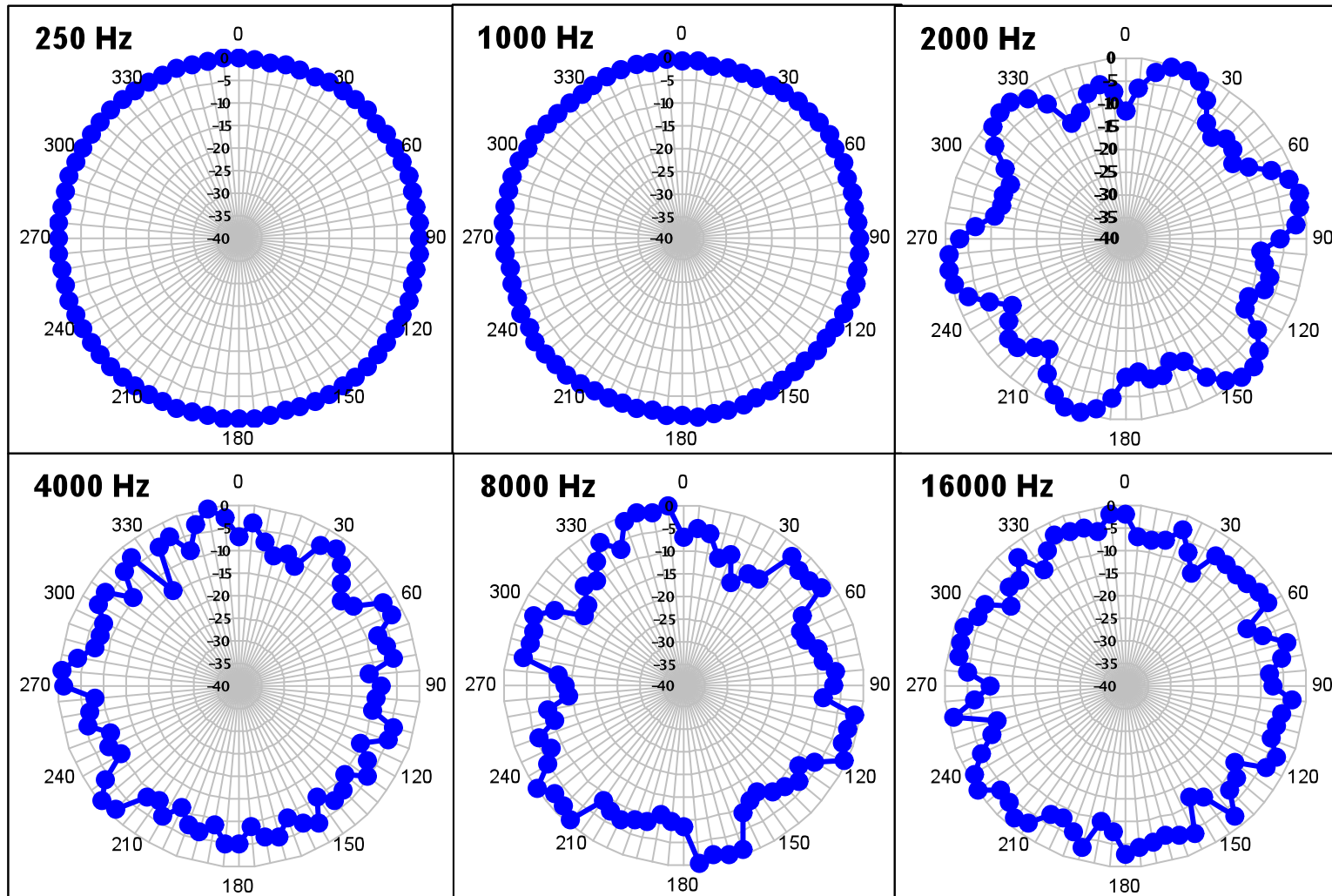
## LookLine D-200 dodechaedron





# Directivity of loudspeakers

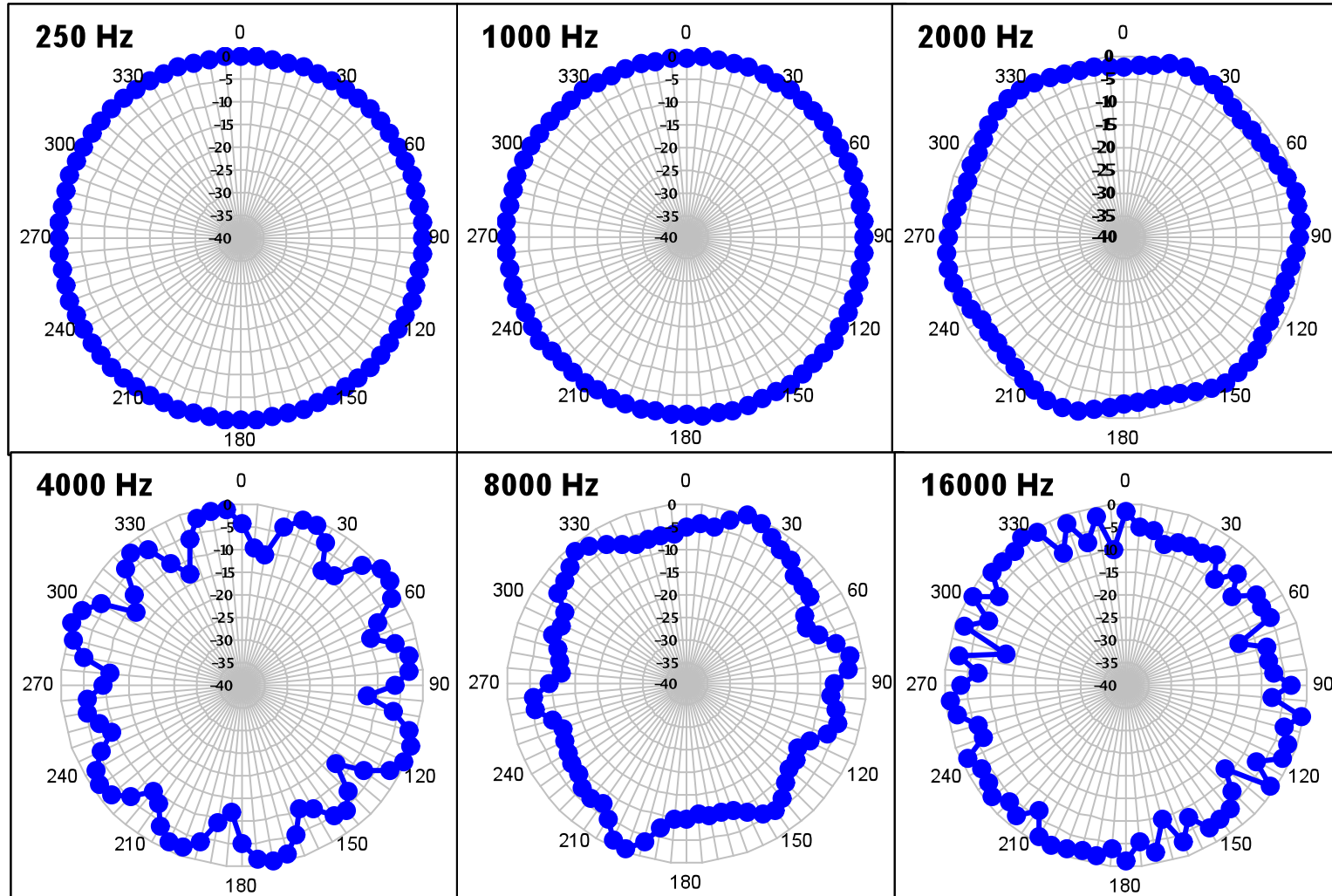
## LookLine D-300 dodechaedron





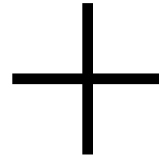
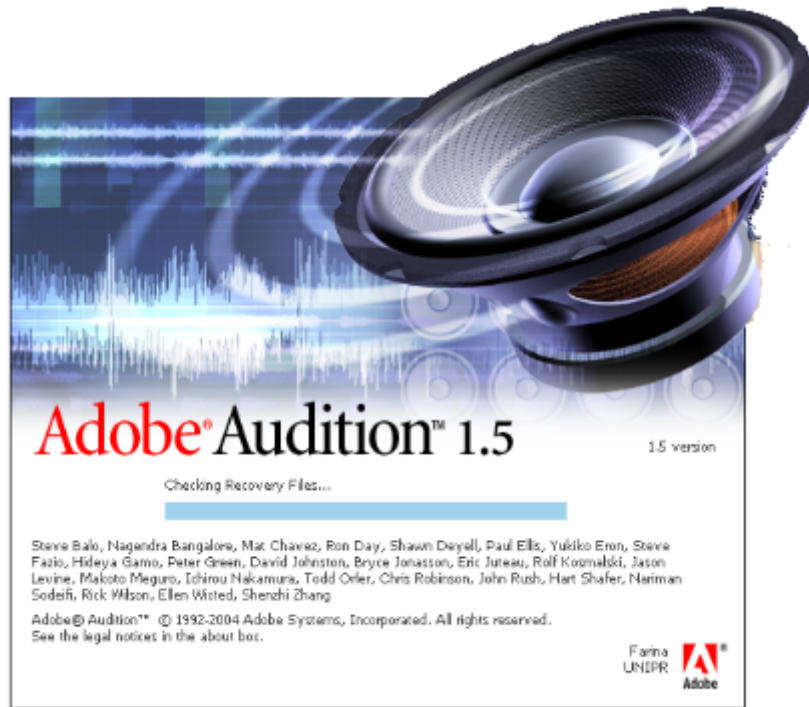
# Directivity of loudspeakers

## Omnisonic 1000 dodechaedron





# The first ESS system - AURORA



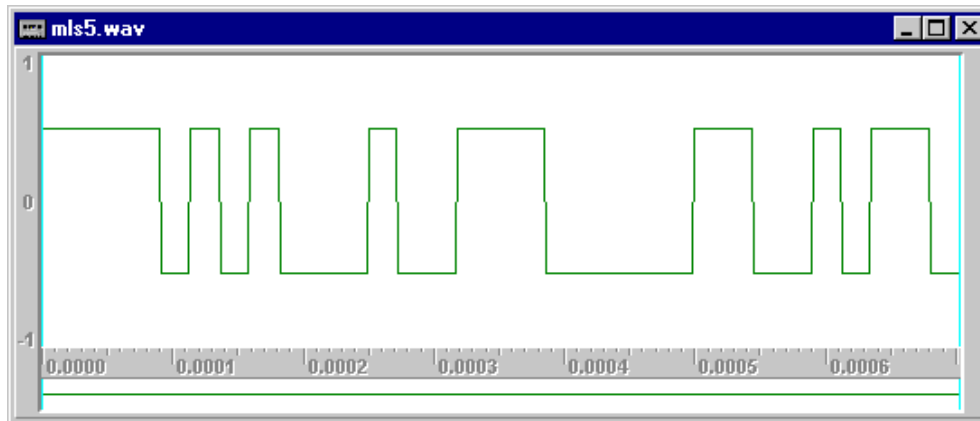
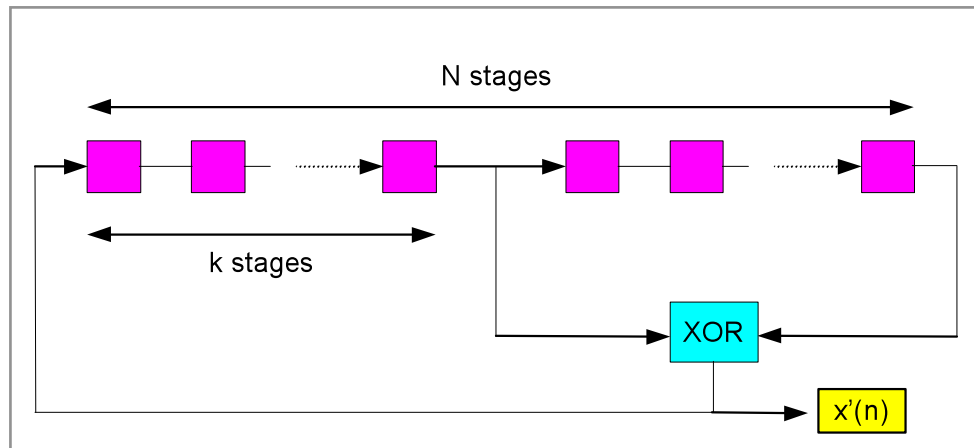
## Aurora Plugins

<b>Generate MLS</b>	
<b>Deconvolve MLS</b>	
<b>Generate Sweep</b>	
<b>Deconvolve Sweep</b>	
<b>Convolution</b>	
<b>Kirkeby Inverse Filter</b>	
<b>Speech Transm. Index</b>	

- Aurora was the first measurement system based on standard sound cards and employing the Exponential Sine Sweep method (1998)
- It also works with traditional TDS and MLS methods, so the comparison can be made employing exactly the same hardware



# MLS method



- $X(t)$  is a periodic binary signal obtained with a suitable shift register, configured for maximum length of the period

$$L = 2^N - 1$$



# MLS deconvolution

- The re-recorded signal  $y(i)$  is cross-correlated with the excitation signal thanks to a fast Hadamard transform. The result is the required impulse response  $h(i)$ , if the system was linear and time-invariant

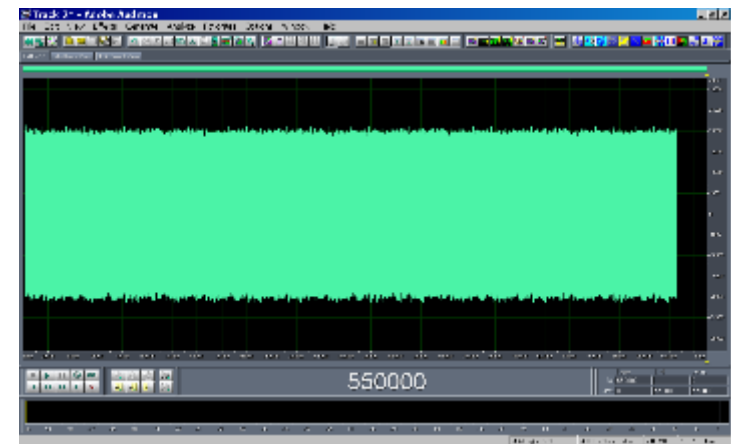
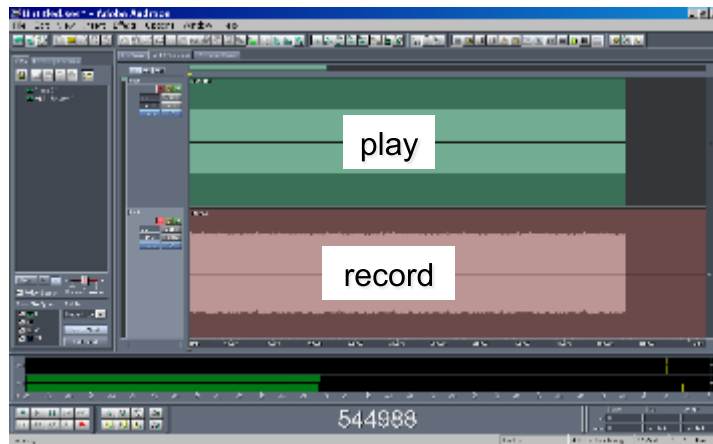
$$h = \frac{1}{L+1} \cdot \tilde{M} \cdot y$$

- Where  $M$  is the Hadamard matrix, obtained by permutation of the original MLS sequence  $m(i)$

$$\tilde{M}(i, j) = m[(i + j - 2) \bmod L] - 1$$



# MLS measurement procedure



**Deconvolve Multiple MLS Sequ...**

Input Data

MLS Order: 15 B

N. of measurements: 1

N. of sequences / measurement: 16

N. of first sequences to skip: 1

Output Results

N. of samples for each sequence: 32767

N. of samples to skip: 0

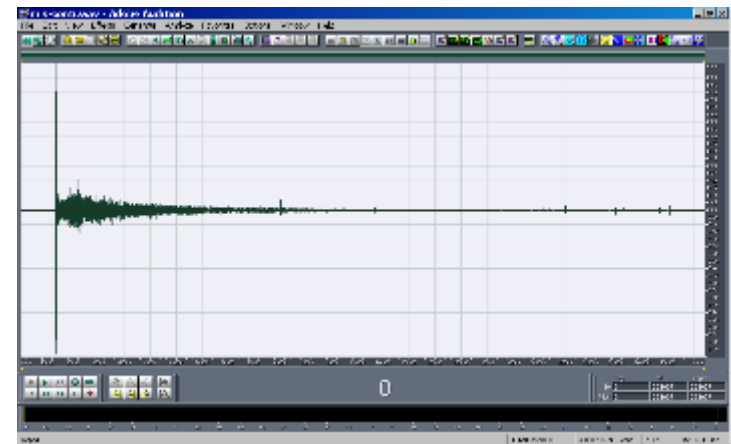
Scale each response separately

Remove DC component

User: Andreas Langhoff

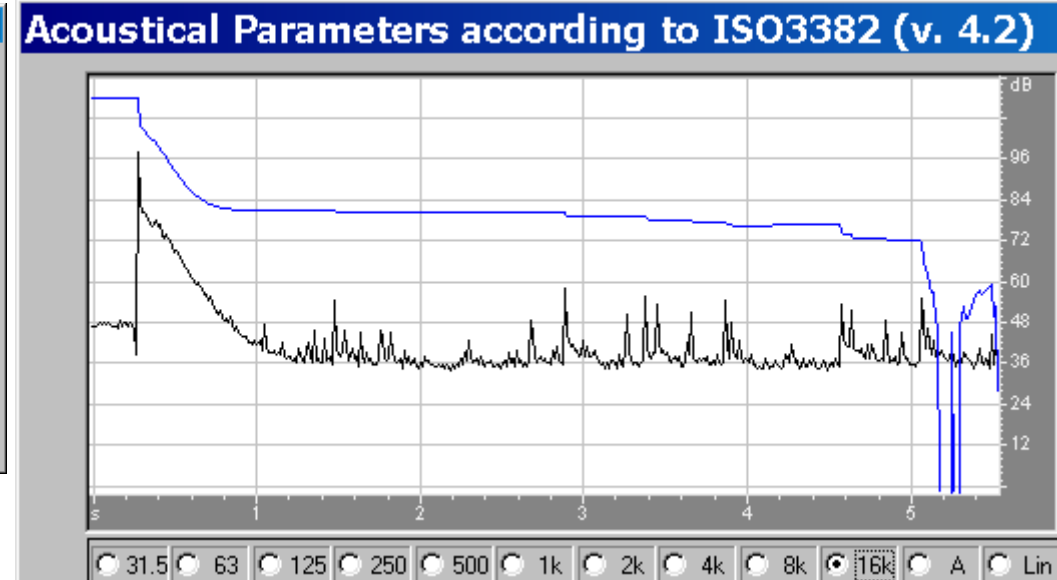
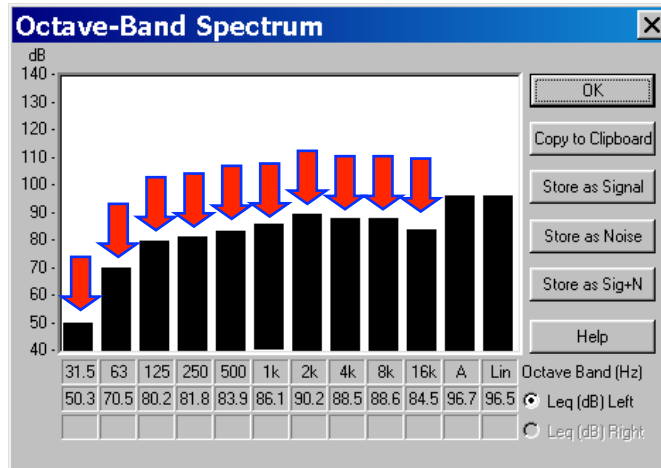
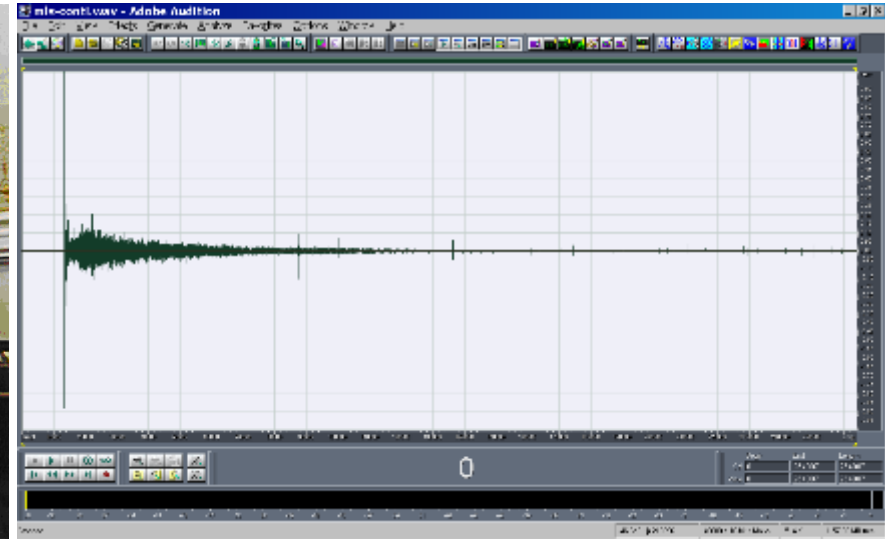
Reg. key: \*\*\*\*

OK Cancel Help





# Example of a MLS impulse response





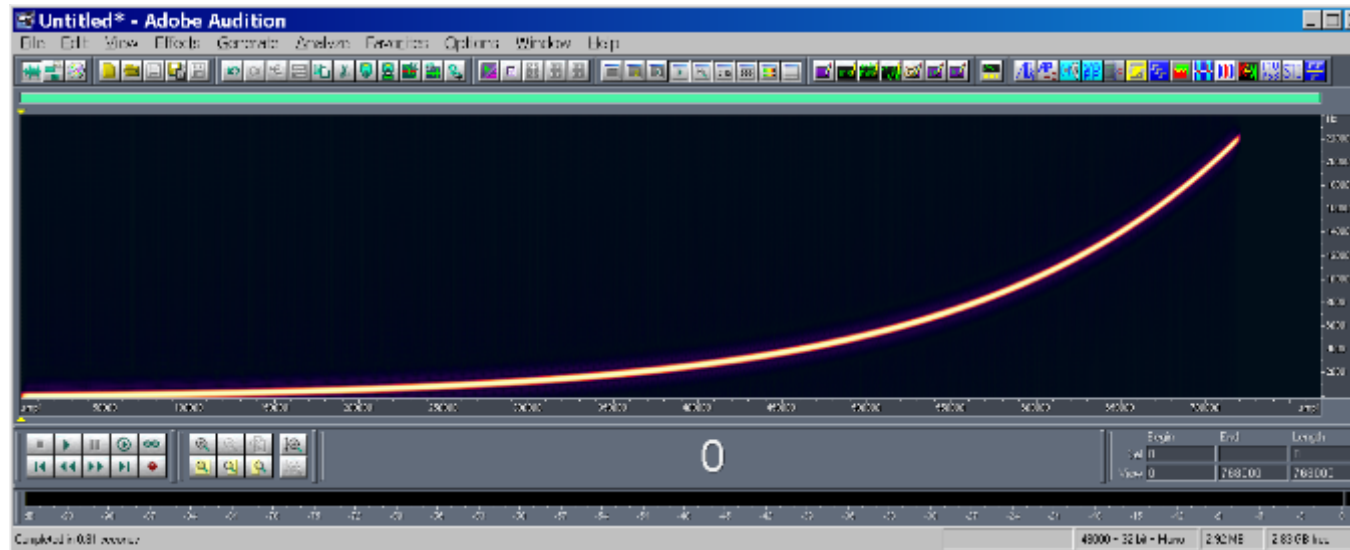
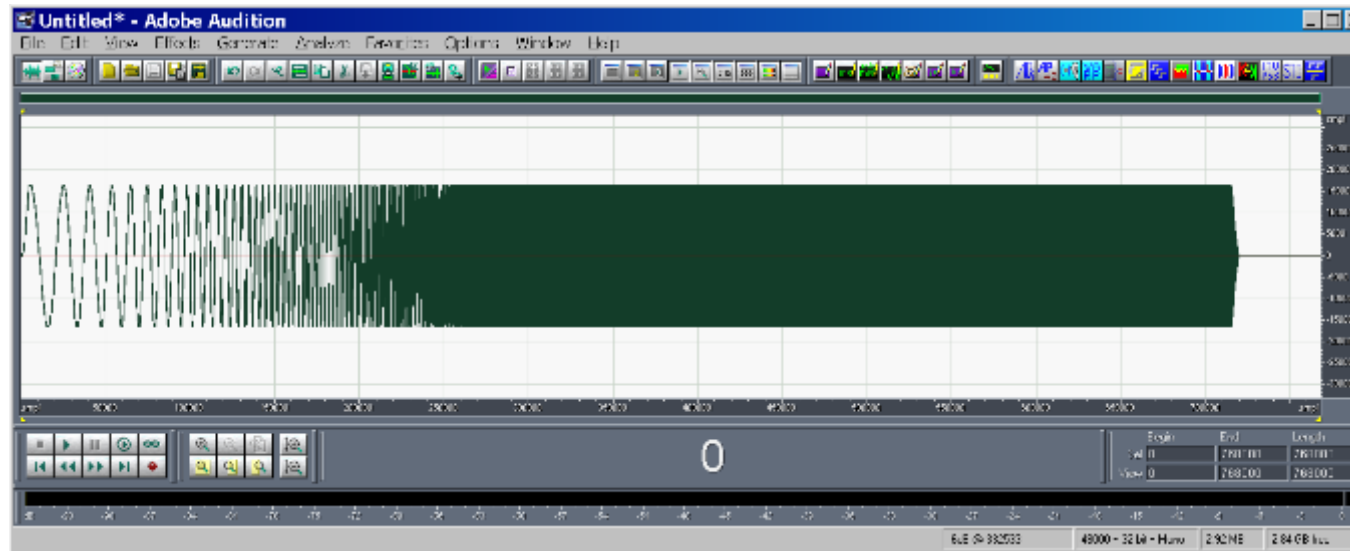
# Exponential Sine Sweep method

- $x(t)$  is a band-limited sinusoidal sweep signal, which frequency is varied exponentially with time, starting at  $f_1$  and ending at  $f_2$ .

$$x(t) = \sin \left[ \frac{2 \cdot \pi \cdot f_1 \cdot T}{\ln \left( \frac{f_2}{f_1} \right)} \cdot \left( e^{\frac{t}{T} \cdot \ln \left( \frac{f_2}{f_1} \right)} - 1 \right) \right]$$

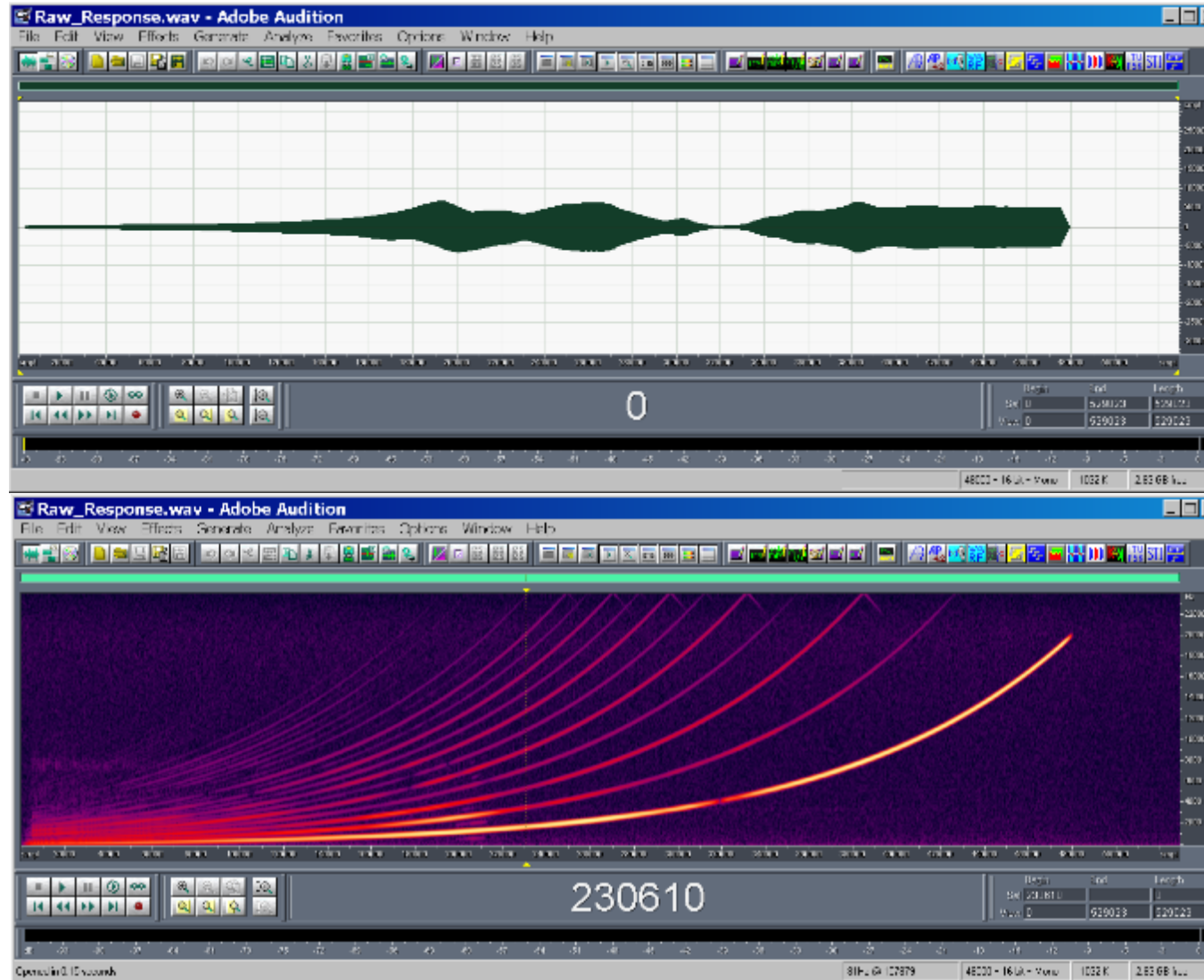


# Test Signal – $x(t)$





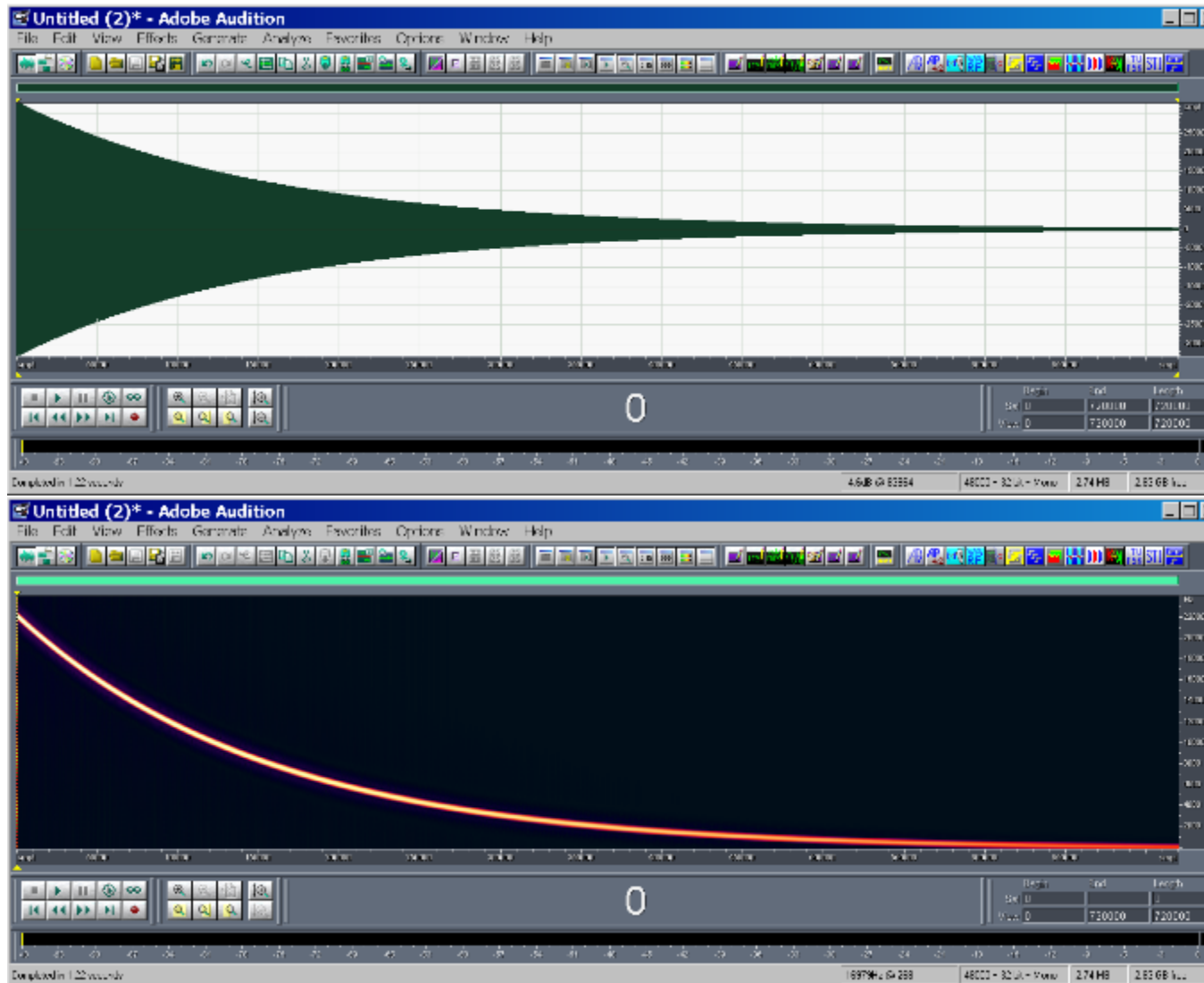
# Measured signal - $y(t)$



- The not-linear behaviour of the loudspeaker causes many harmonics to appear



# Inverse Filter – $z(t)$

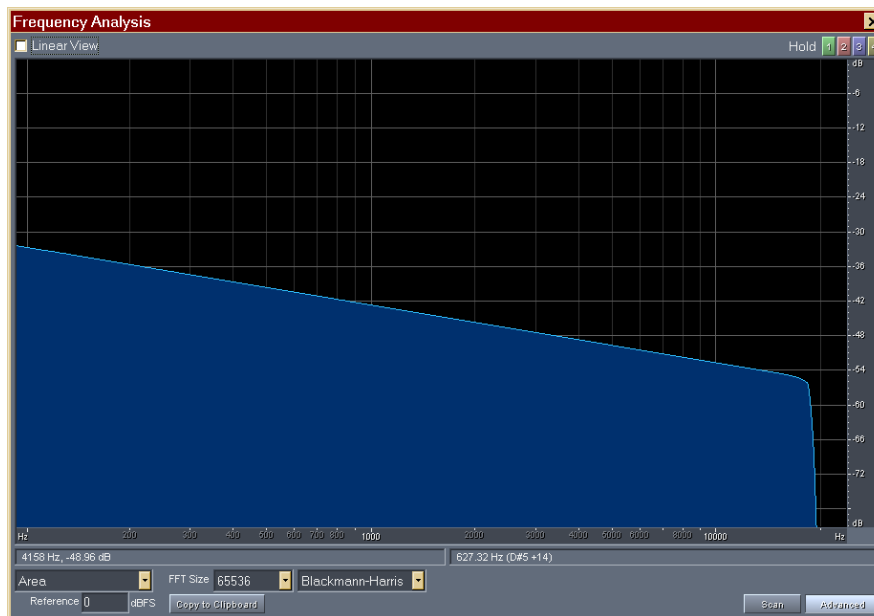


The deconvolution of the IR is obtained convolving the measured signal  $y(t)$  with the inverse filter  $z(t)$  [equalized, time-reversed  $x(t)$ ]

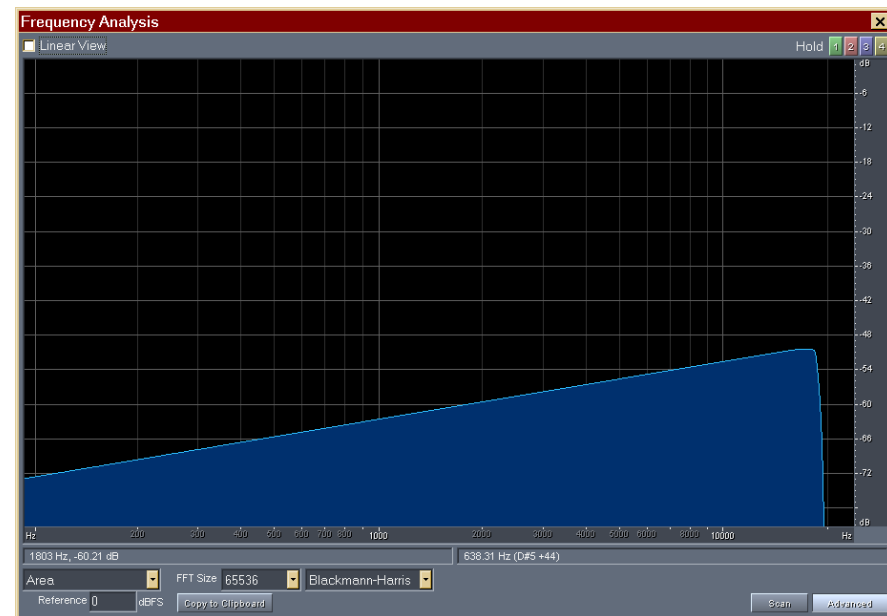


# Deconvolution of Exponential Sine Sweep

The “time reversal mirror” technique is employed: the system’s impulse response is obtained by convolving the measured signal  $y(t)$  with the time-reversal of the test signal  $x(-t)$ . As the log sine sweep does not have a “white” spectrum, proper equalization is required



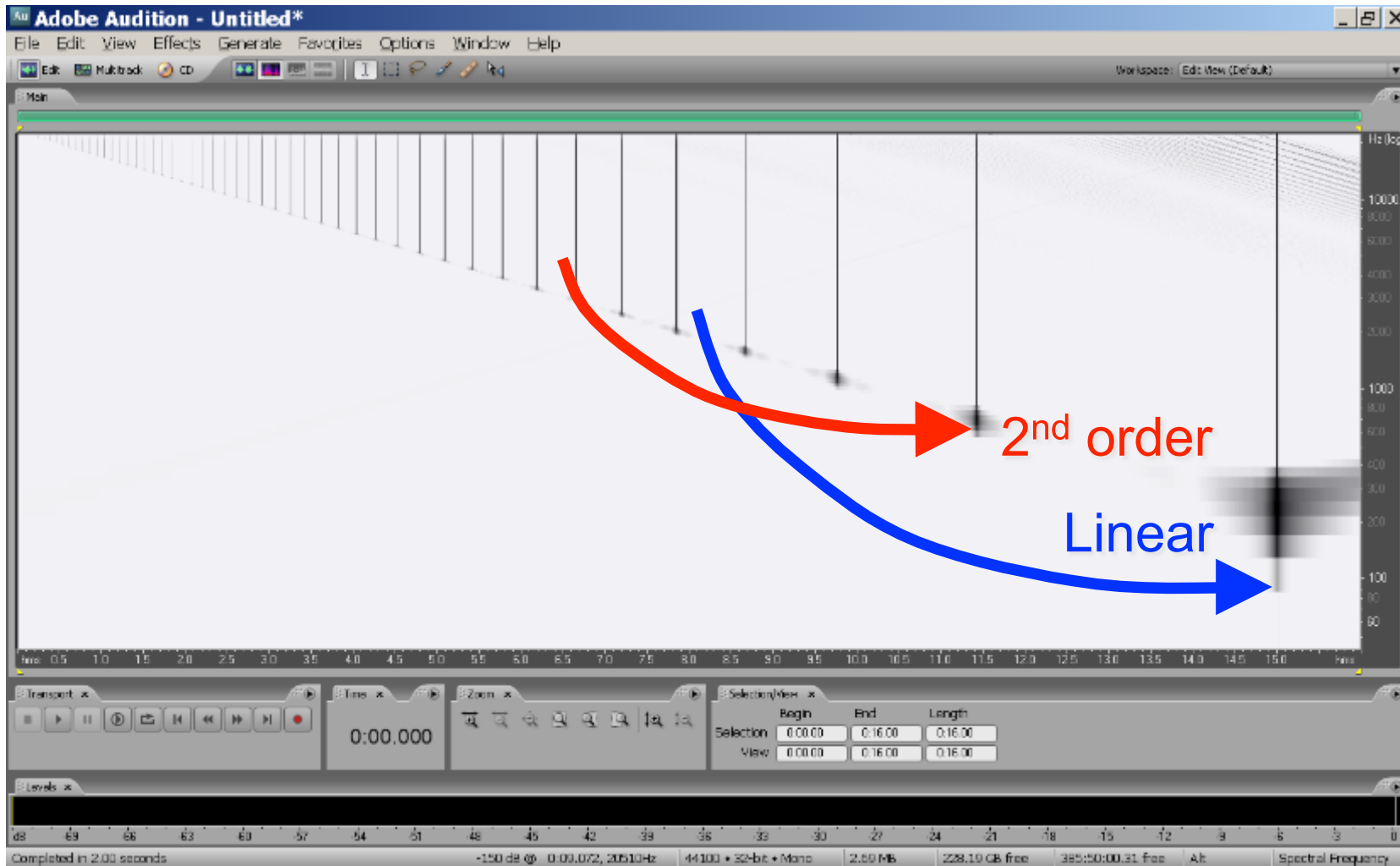
Test Signal  $x(t)$



Inverse Filter  $z(t)$



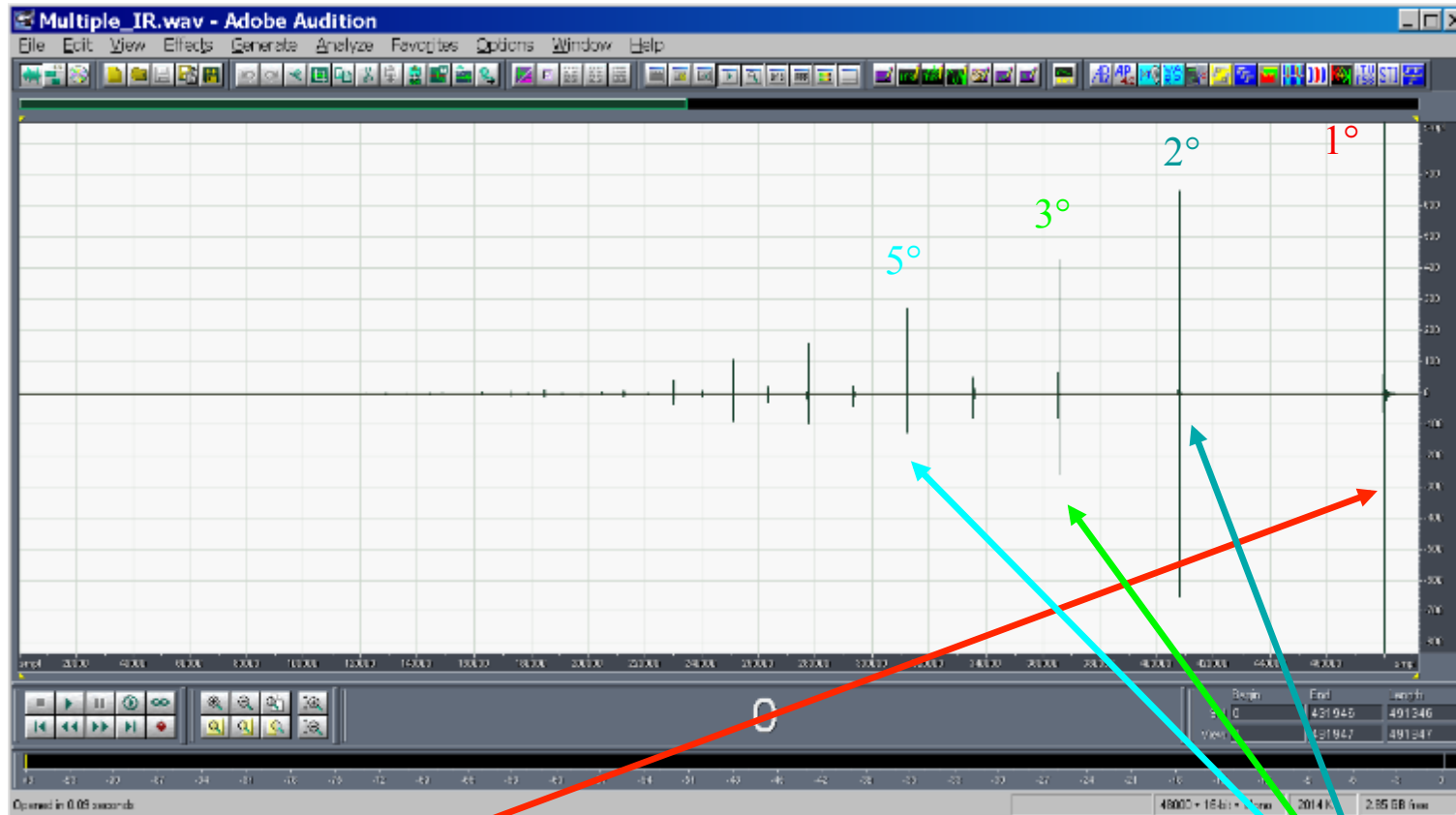
# Deconvolution = sonogram rotation



- Convolution with inverse filter rotates the time-frequency plane counter-clockwise



# Result of the deconvolution

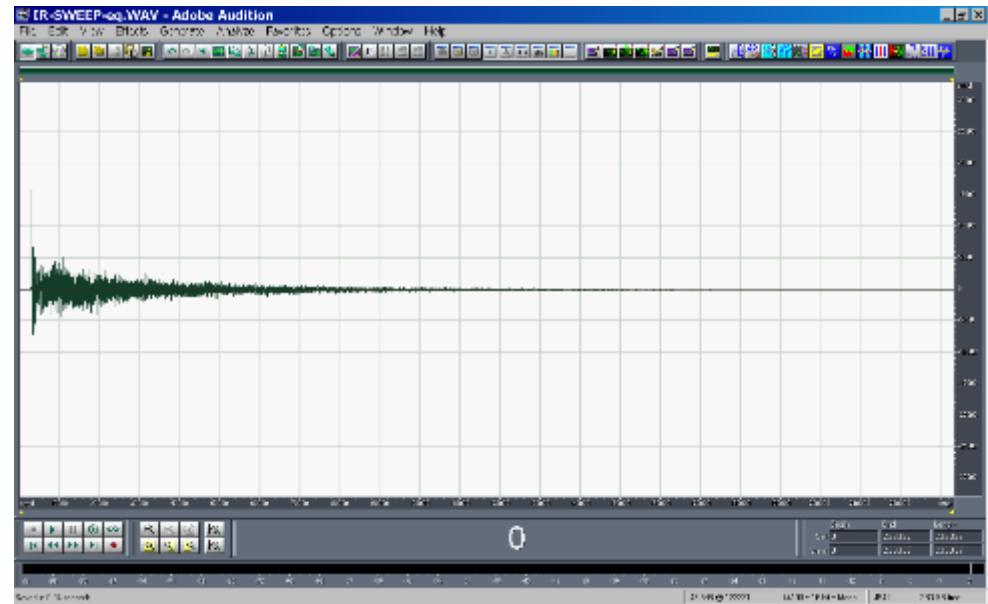
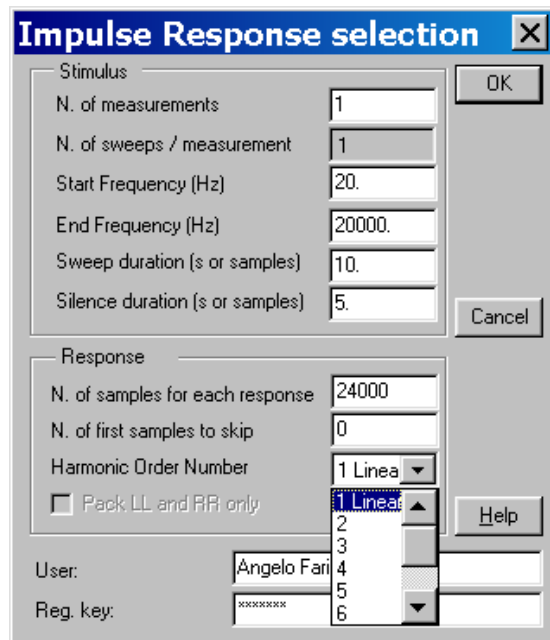


The last impulse response is the linear one, the preceding are the harmonics distortion products of various orders



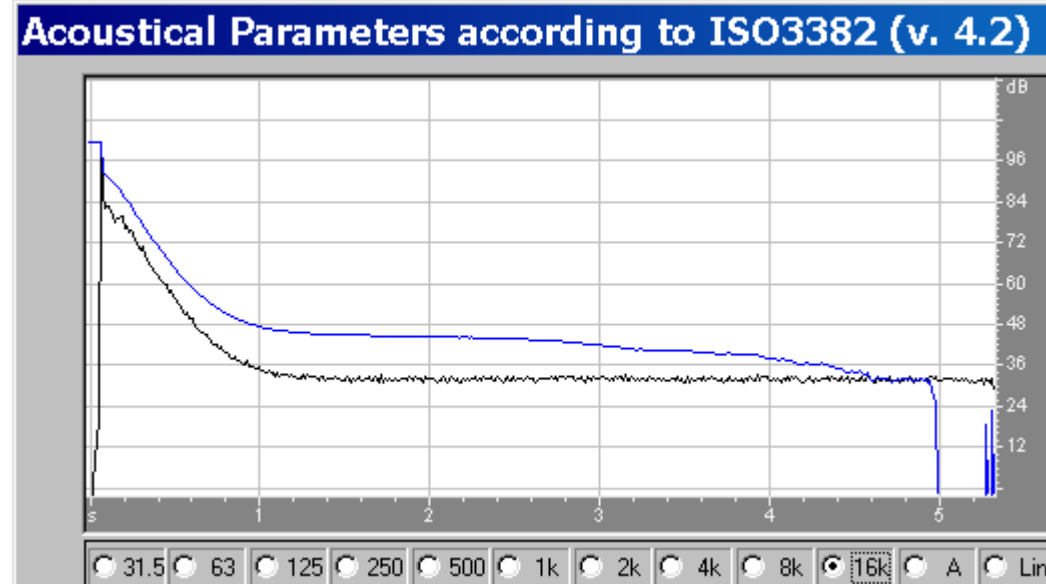
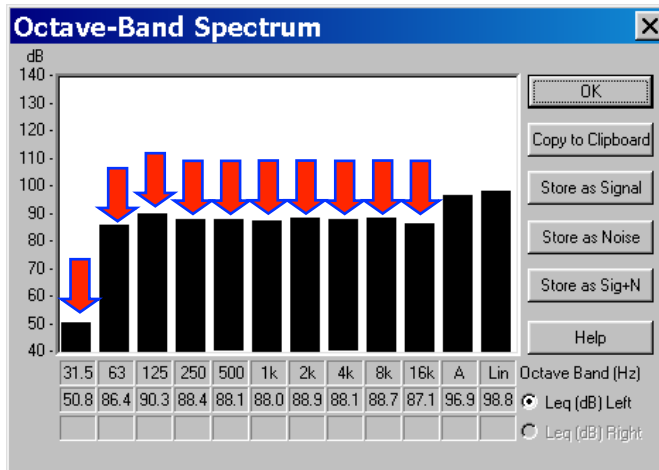
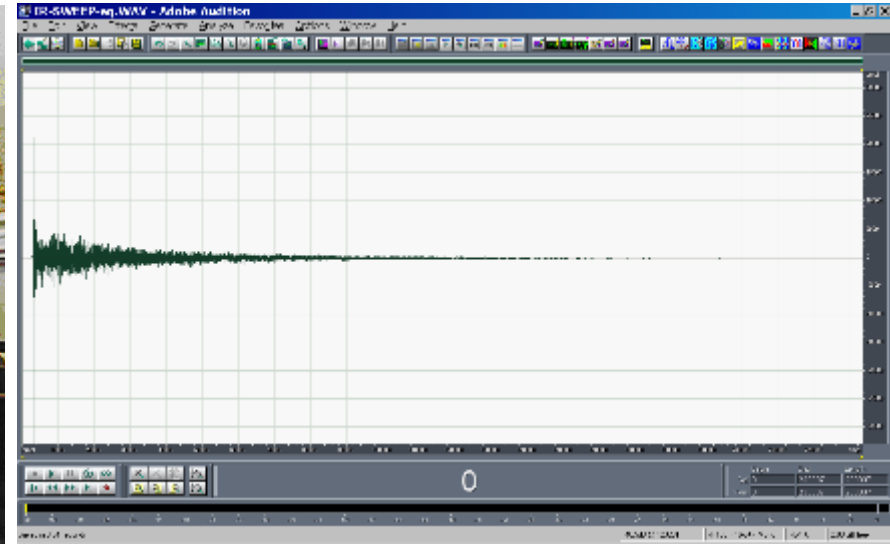
# IR Selection

- After the sequence of impulse responses has been obtained, it is possible to select and extract just one of them (the 1<sup>o</sup>-order - Linear in this example):



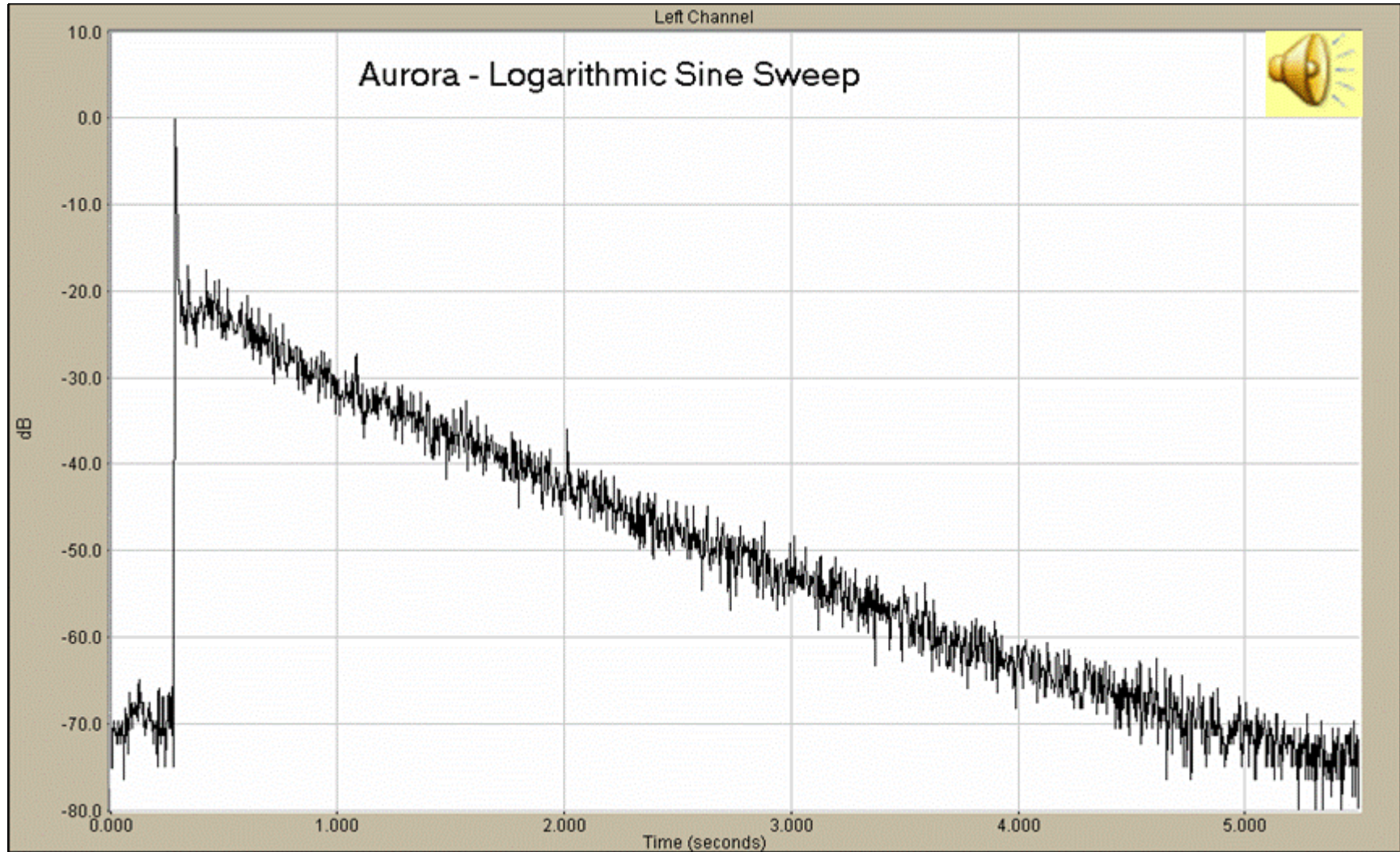


# Example of an ESS impulse response





# Maximum Length Sequence vs. Exp. Sine Sweep





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# The Future



# The Future

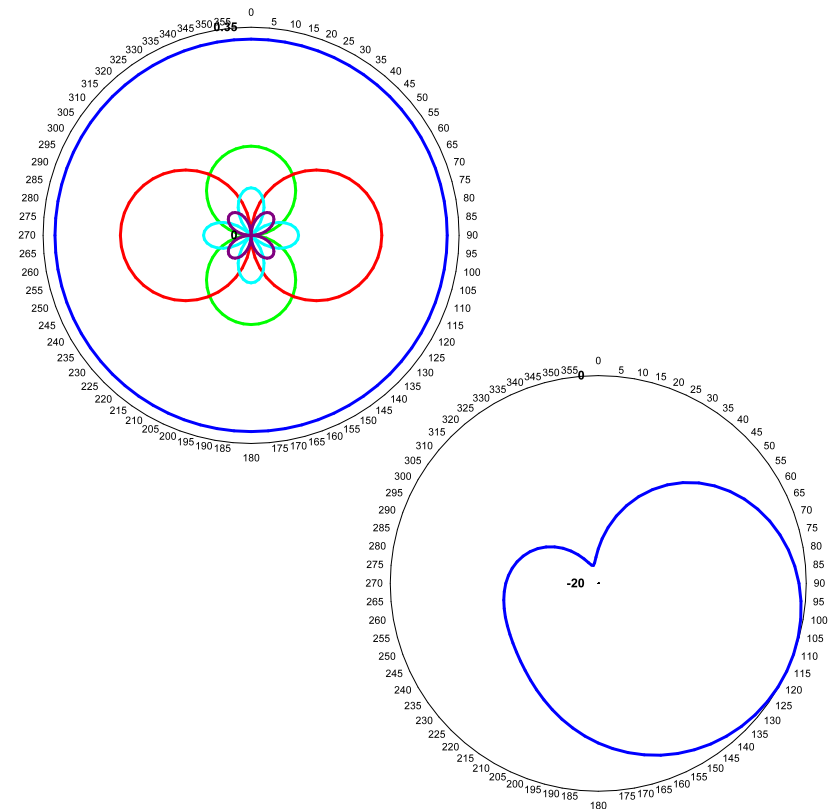
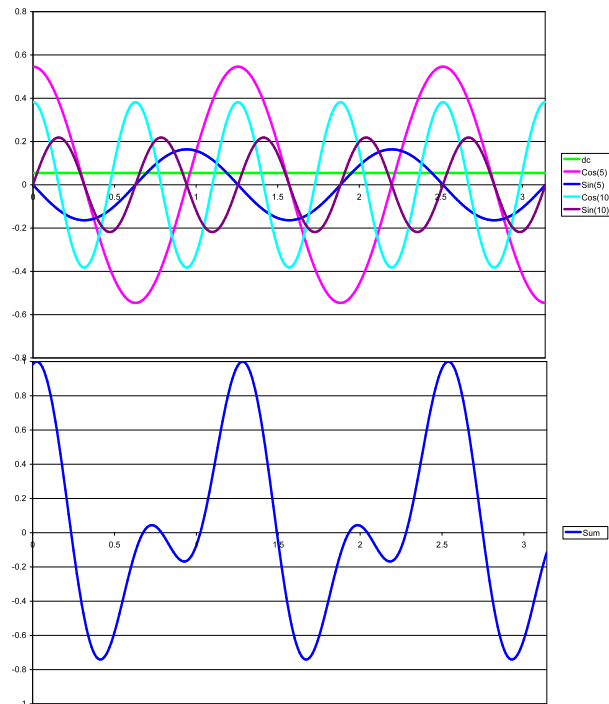
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- Microphone arrays capable of synthesizing arbitrary directivity patterns
- Advanced spatial analysis of the sound field employing spherical harmonics (Ambisonics - 1<sup>o</sup> order or higher)
- Loudspeaker arrays capable of synthesizing arbitrary directivity patterns
- Generalized solution in which both the directivities of the source and of the receiver are represented as a spherical harmonics expansion



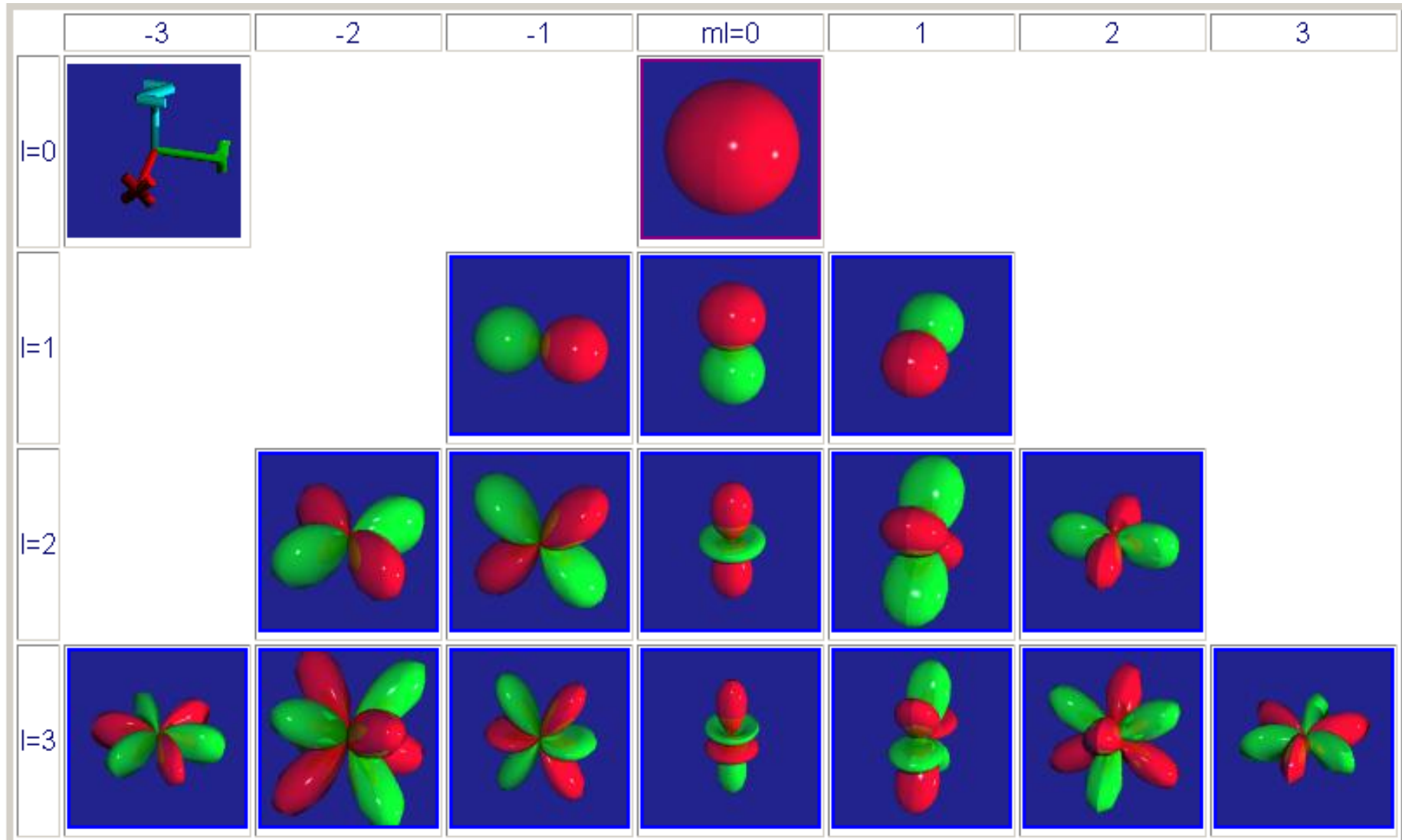
# How to get better spatial resolution?

- The answer is simple: analyze the spatial distribution of both source and receiver by means of higher-order spherical harmonics expansion
- Spherical harmonics analysis is the equivalent, in space domain, of the Fourier analysis in time domain
- As a complex time-domain waveform can be thought as the sum of a number of sinusoidal and cosinusoidal functions, so a complex spatial distribution around a given notional point can be expressed as the sum of a number of spherical harmonic functions





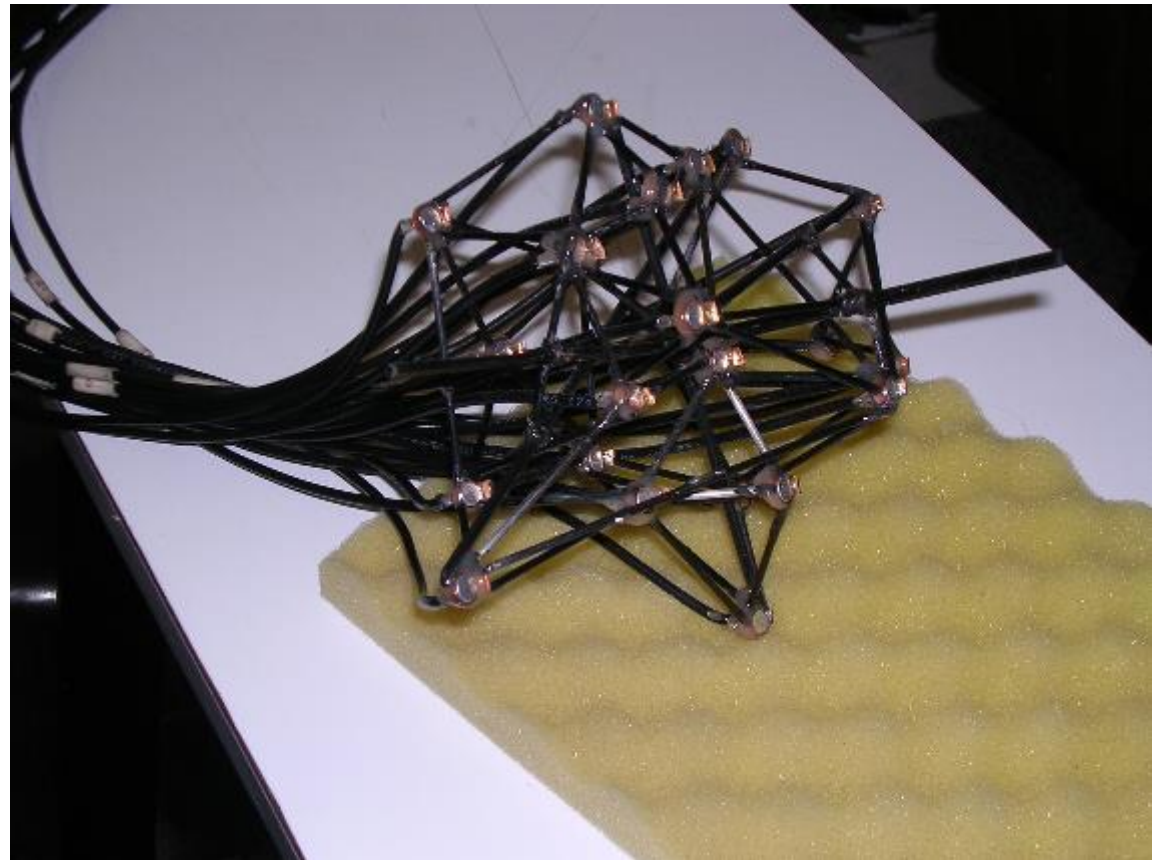
# Higher-order spherical harmonics expansion





## 3°-order microphone (Trinnov - France)

- Arnoud Laborie developed a 24-capsule compact microphone array - by means of advanced digital filtering, spherical ahrmonic signals up to 3° order are obtained (16 channels)





# 4°-order microphone (France Telecom)

- Jerome Daniel and Sebastien Moreau built samples of 32-capsules spherical arrays - these allow for extractions of microphone signals up to 4° order (25 channels)





## 4°-order microphone (Italy)

- Angelo Farina's spherical mike (32 capsules)





## 5°-order microphones (University of Sydney)

- Chris Craig's dual-sphere concentric mike (64 capsules)
- And his 32-capsules cylindrical mike

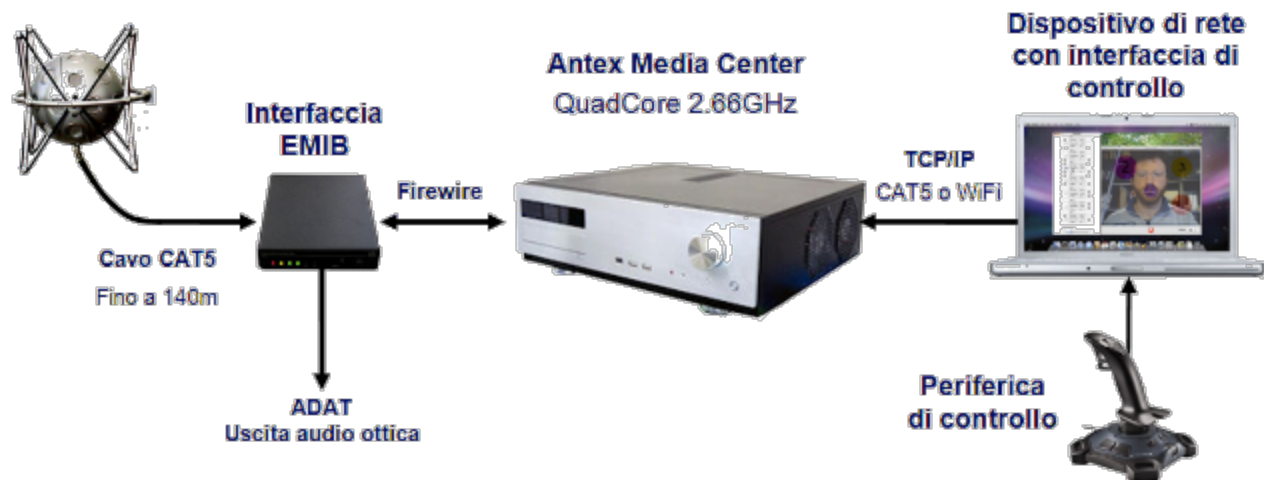




# The Eigenmike™

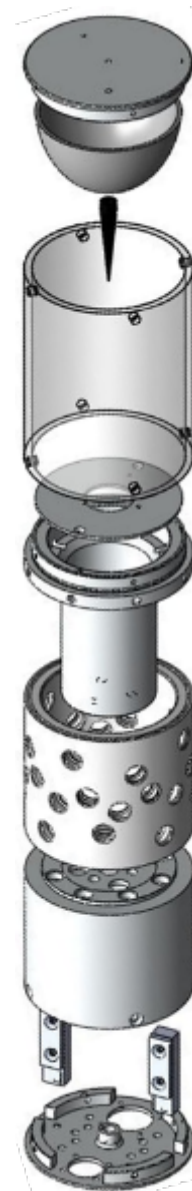
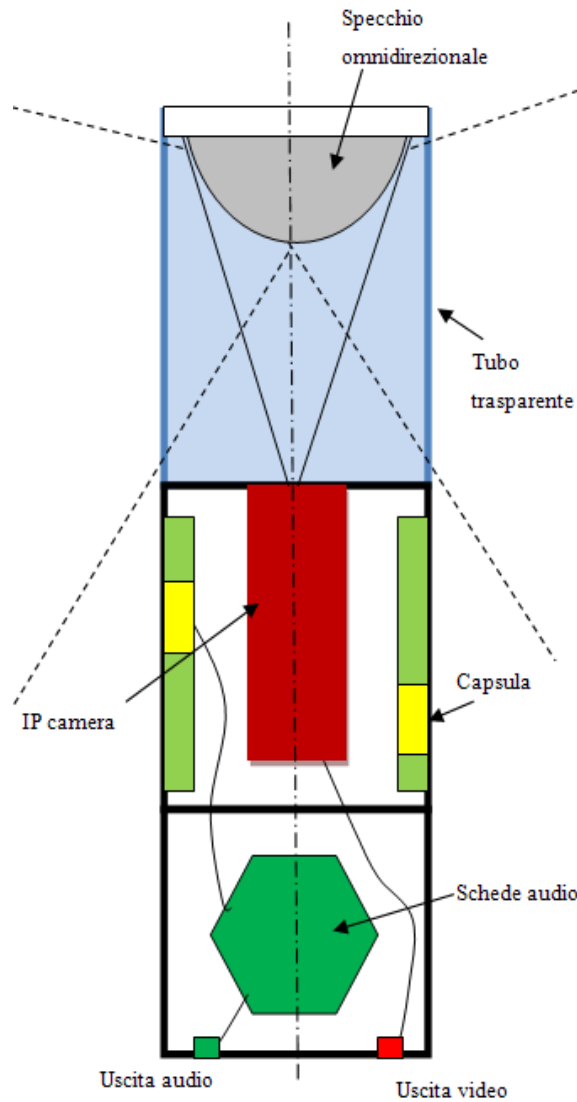
- 32 high-quality Sennheiser capsules
- Embedded preamps with digital gain control
- Embedded Wolfson converters
- Embedded AV-net Audio-Over-Ethernet chip
- Power Over Ethernet
- EMIB Firewire interface with TCAT-II chipset
- Drivers for Windows, Mac, Linux
- “Virtual Microphone” Software

Eigenmike™





# The 3D Cylindrical Microphone Array





# The EIGENMIKE™ software

**EigenStudio -- beta -- (fs = 44.1kHz, )**

Help

File Navigation

00:00:11

0:00:00 0:00:20 0:00:40 0:01:00 0:01:20 0:01:29

**Input Levels**

**Output Levels**

**Input Volume**

30 dB  
20 dB  
10 dB  
0 dB  
-10 dB

0.0

0.0

**Output Volume**

0.0

**Highpass**

off  
80 Hz  
160 Hz  
320 Hz

**Monitor Source**

monitor

1 (output)

0.0

**Beam Tracks**

ID	Label	Azimuth	Elevation	Pattern	Specification	Volume	Mute
1	beam 1	45	90	super3	0	-20 -10 0 10 20 0.0 dB	<input type="checkbox"/>
2	beam 2	315	90	super3	0	-20 -10 0 10 20 0.0 dB	<input type="checkbox"/>

**Input Source**

Live  
File: Melevisione\_0001

**Audio Transport**

Stop Pause Play

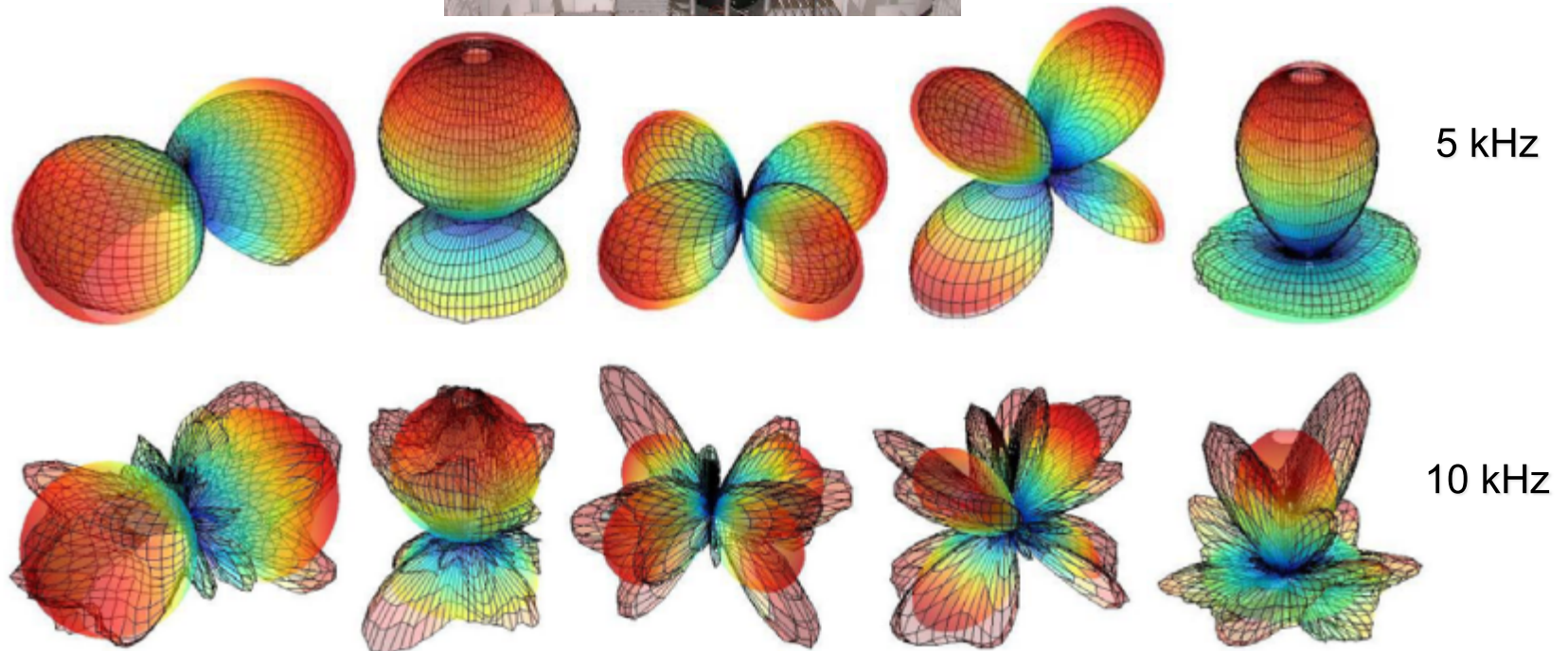
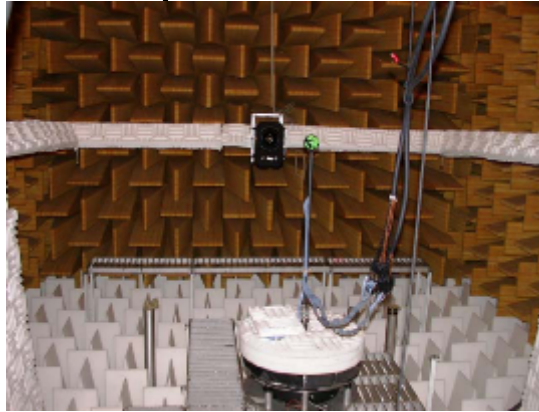
**Recording Source**

input 00:00:00  
output 00:00:00



# Verification of high-order patterns

- Sebastien Moreau and Olivier Warusfel verified the directivity patterns of their 4<sup>o</sup>-order microphone array in the anechoic room of IRCAM (Paris)





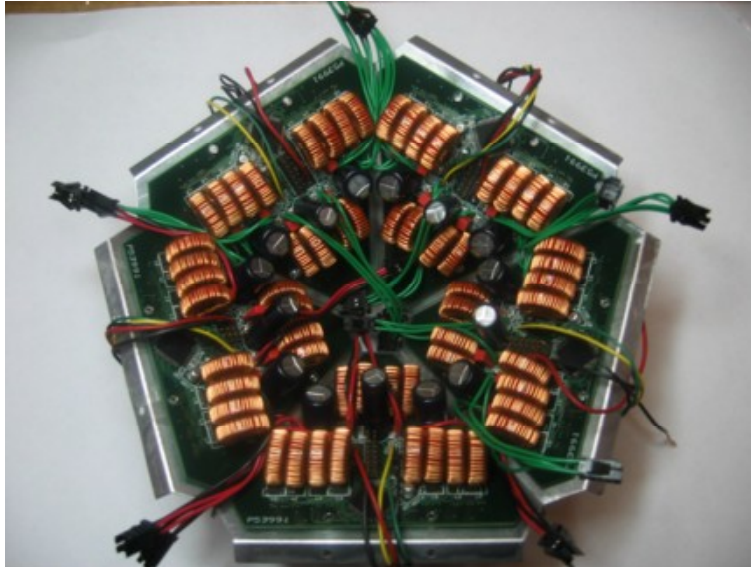
# High-order sound source

- Adrian Freed, Peter Kassakian, and David Wessel (CNMAT) developed a new 120-loudspeakers, digitally controlled sound source, capable of synthesizing sound emission according to spherical harmonics patterns up to 5<sup>th</sup> order.

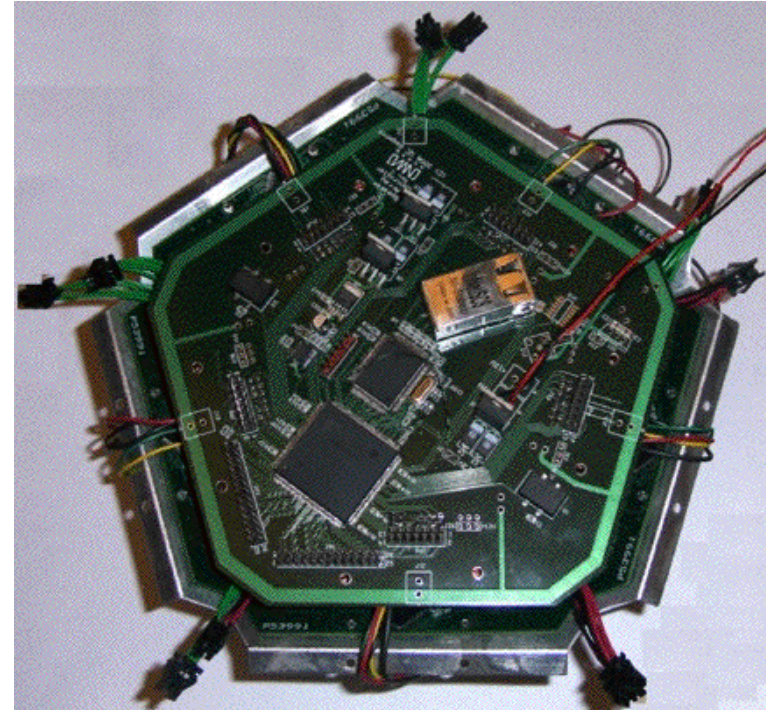




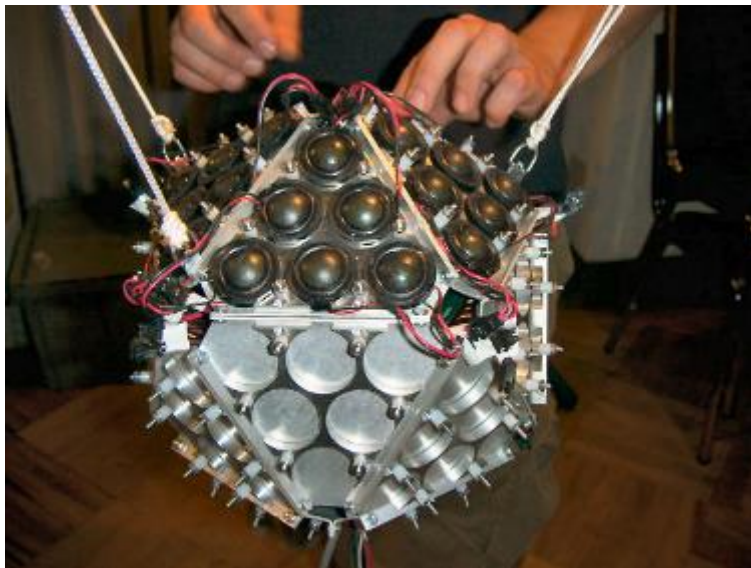
# Technical details of high-order source



- Class-D embedded amplifiers



- Embedded ethernet interface and DSP processing

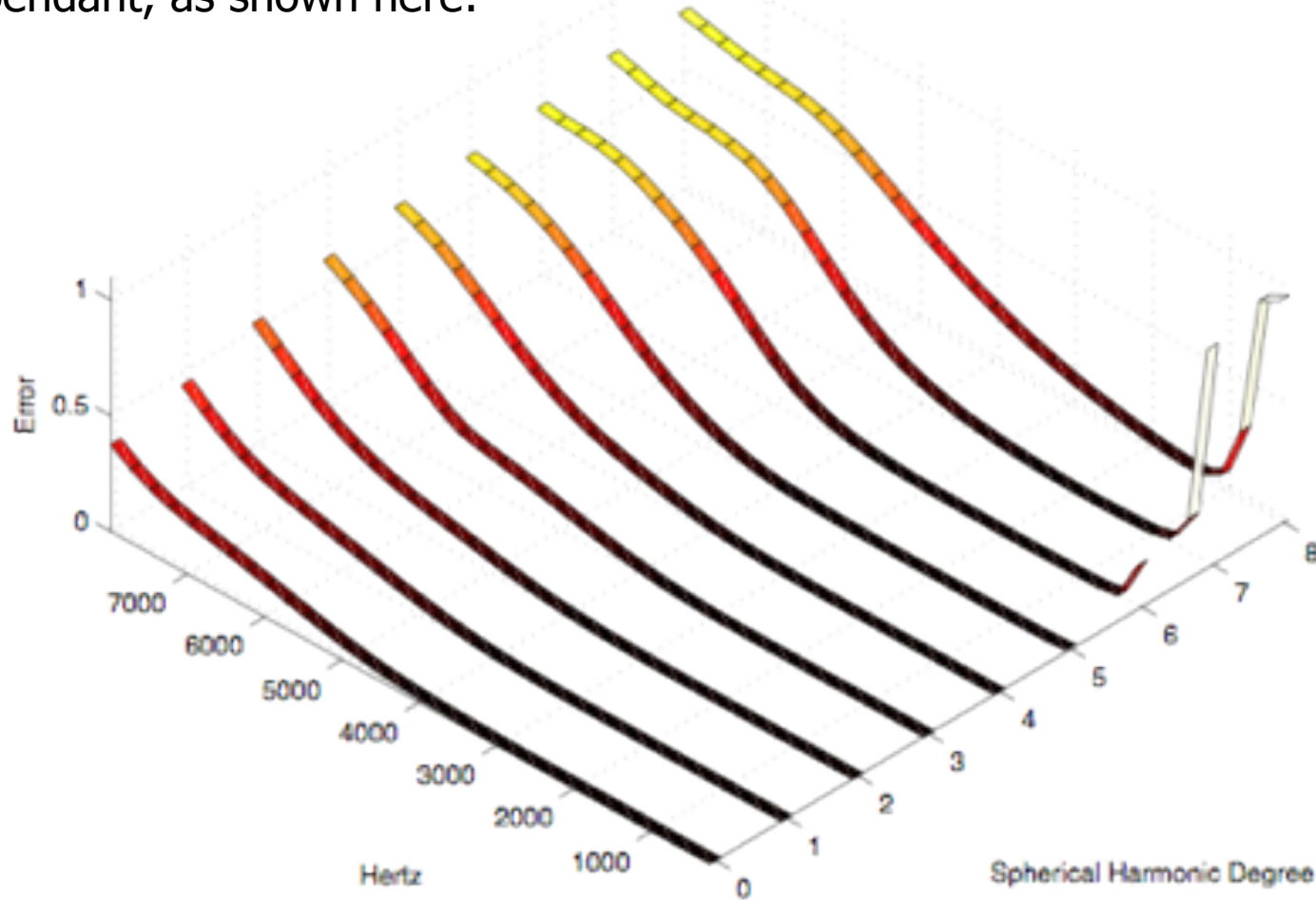


- Long-excursion special Meyer Sound drivers



# Accuracy of spatial synthesis

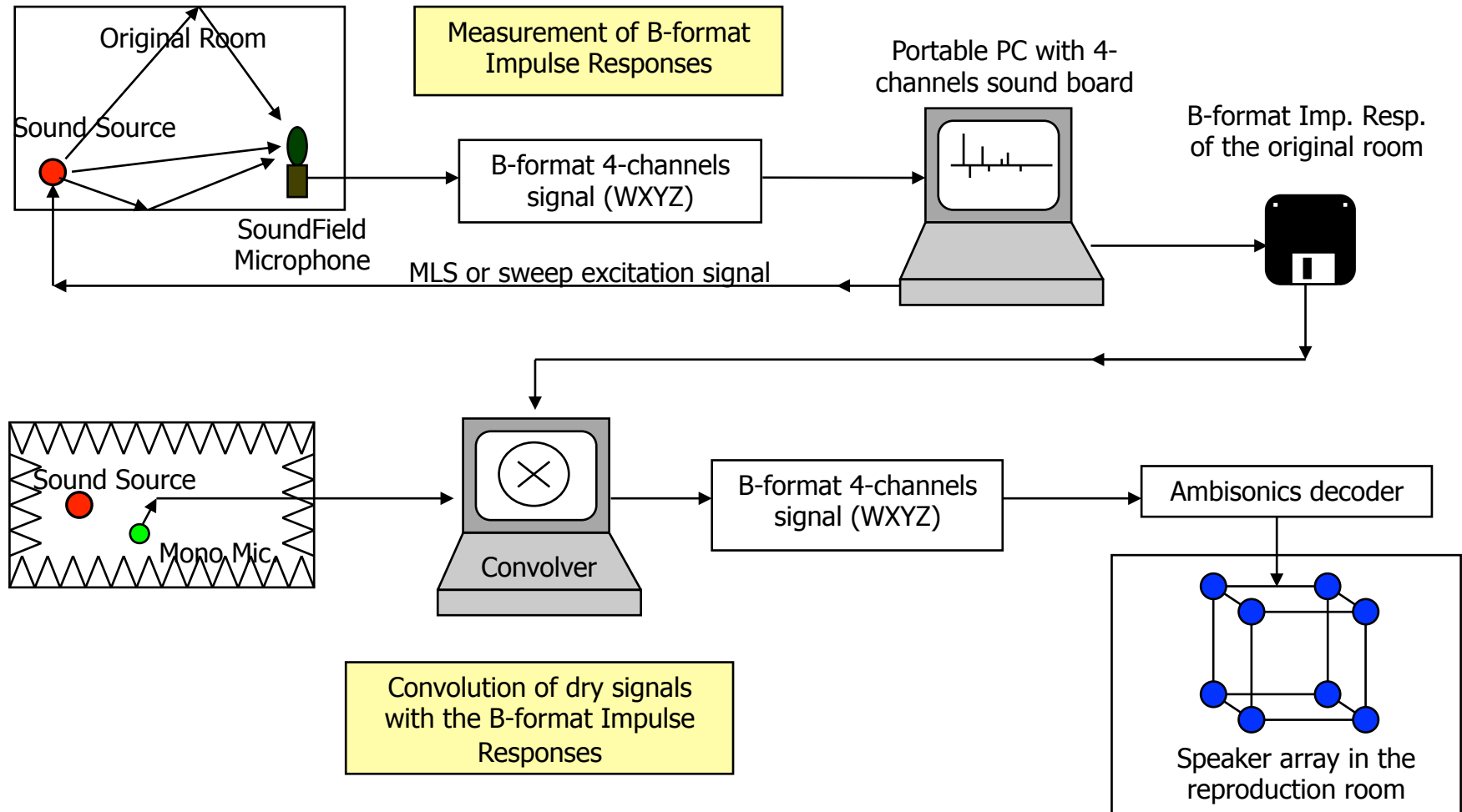
- The spatial reconstruction error of a 120-loudspeakers array is frequency dependant, as shown here:



- The error is acceptably low over an extended frequency range up to 5<sup>o</sup>-order



# 3D Impulse Response (Gerzon, 1975)





# The Waves project (2003)

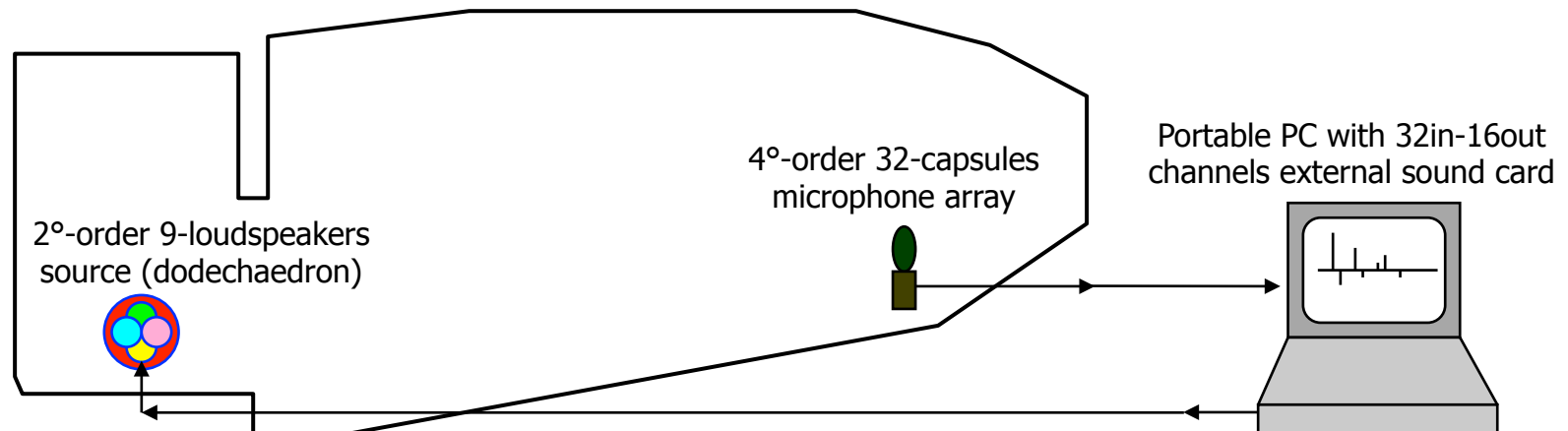
- The original idea of Michael Gerzon was finally put in practice in 2003, thanks to the Israeli-based company WAVES
- More than 100 theatres all around the world were measured, capturing 3D IRs (4-channels B-format with a Soundfield microphone)
- The measurements did also include binaural impulse responses, and a circular-array of microphone positions
- More details on [WWW.ACOUSTICS.NET](http://WWW.ACOUSTICS.NET)





# Complete high-order MIMO method

- Employing massive arrays of transducers, it will be feasible to sample the acoustical temporal-spatial transfer function of a room
- Currently available hardware and software tools make this practical only up to 4° order, which means 25 inputs and 25 outputs
- A complete measurement for a given source-receiver position pair takes approximately 10 minutes (25 sine sweeps of 15s each are generated one after the other, while all the microphone signals are sampled simultaneously)
- However, it has been seen that real-world sources can be already approximated quite well with 2°-order functions, and even the human HRTF directivities are reasonably approximated with 3°-order functions.





# Teatro "La Scala": spatial analysis of reflections

